

CQT, Lecture#1: Nanodevices and Maxwell's Demon

Objective:

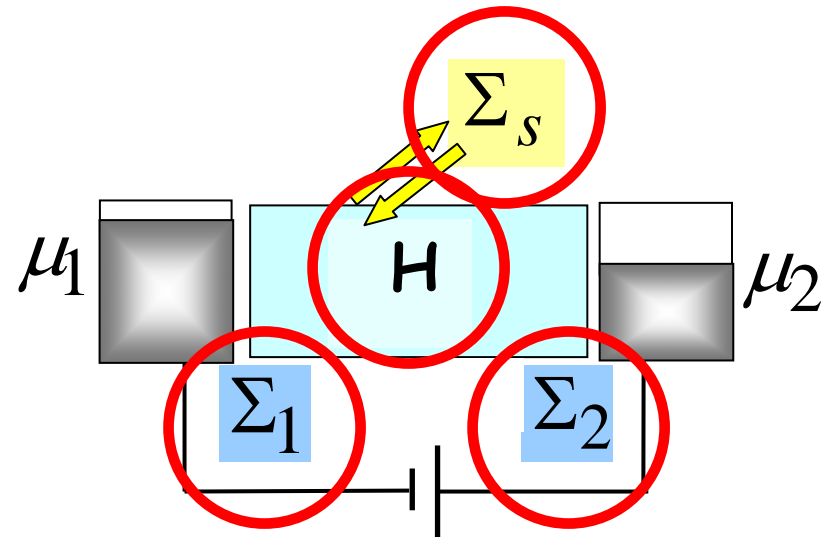
To illustrate the subtle interplay of dynamics and thermodynamics that distinguishes transport physics.

Reference:

S.Datta, "Nanodevices and Maxwell's demon", to appear in the Proceedings of the Third ASI International Workshop on Nano Science & Technology, Ed. Z.K.Tang, Taylor & Francis (2007).

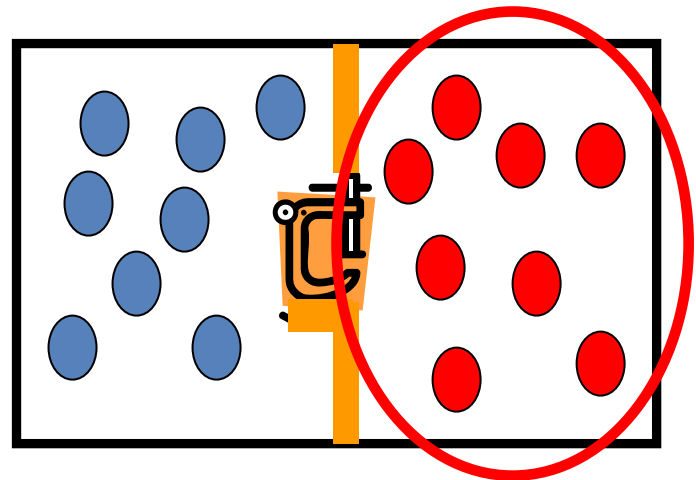
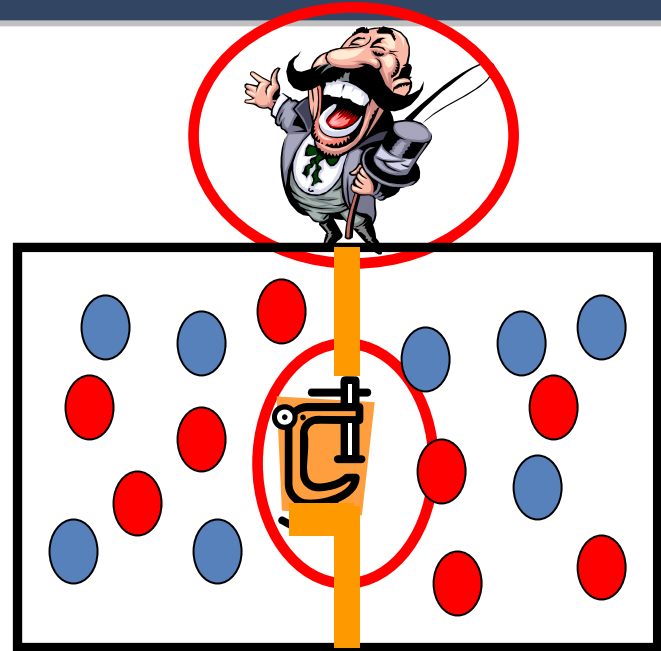
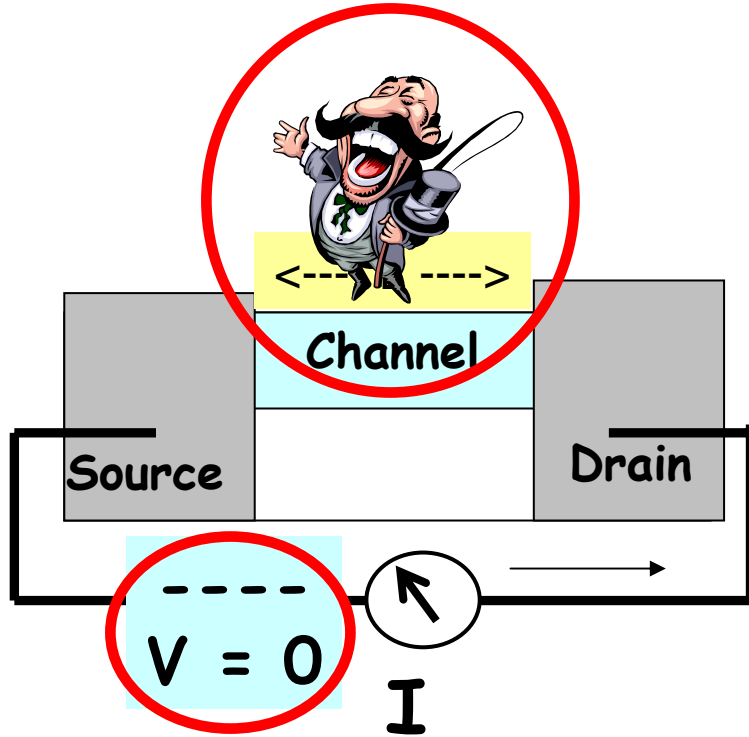
<http://arxiv.org/abs/0704.1623>

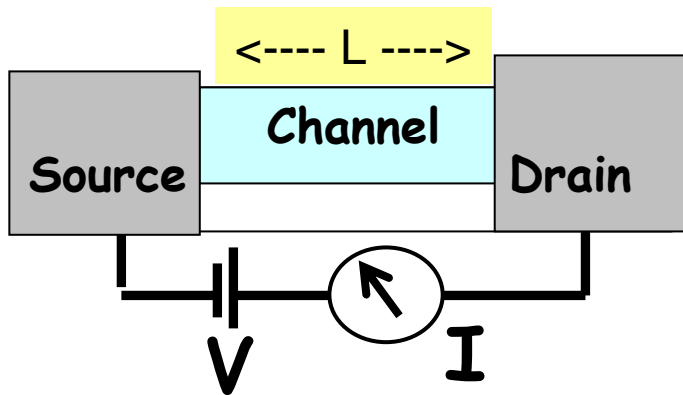
Unified Model for
Quantum Transport
Far from Equilibrium



"QTAT"
Datta, Quantum Transport:
Atom to Transistor,
Cambridge (2005)

Electronic demon





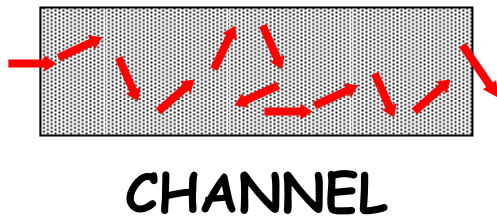
$$V = IR \quad \text{or} \quad I = VG$$

Conductance, $G = 1/R$

$$G = \sigma A/L$$

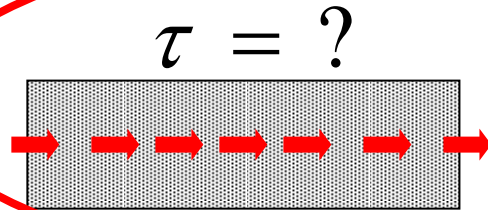
Conductivity

$$\sigma = q^2 n \tau / m$$

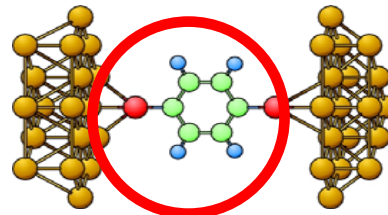


CHANNEL

$m = ?$ $n = ?$

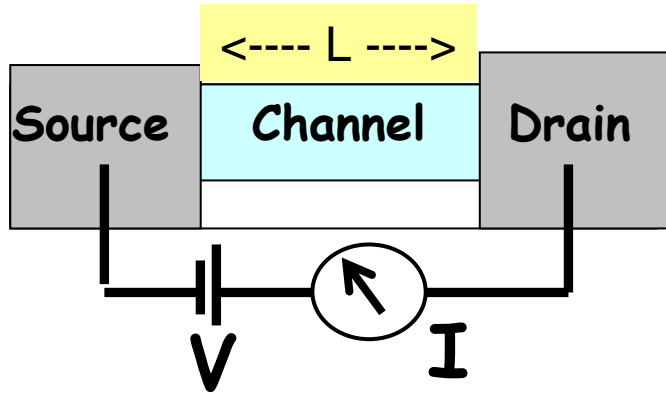


$\tau = ?$



"Very complicated"

Bottom-up View



Ohm's law

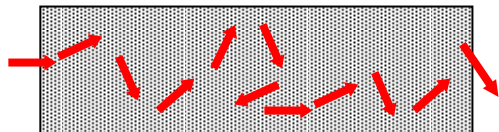
"Top"

$$I = GV \quad , \quad G = \sigma A / L$$

Escape rate

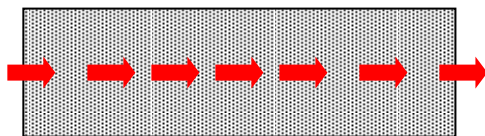
Density of states

$\gamma \equiv \text{escape rate}$



$$G = (q^2 / h) (\pi D \gamma)$$

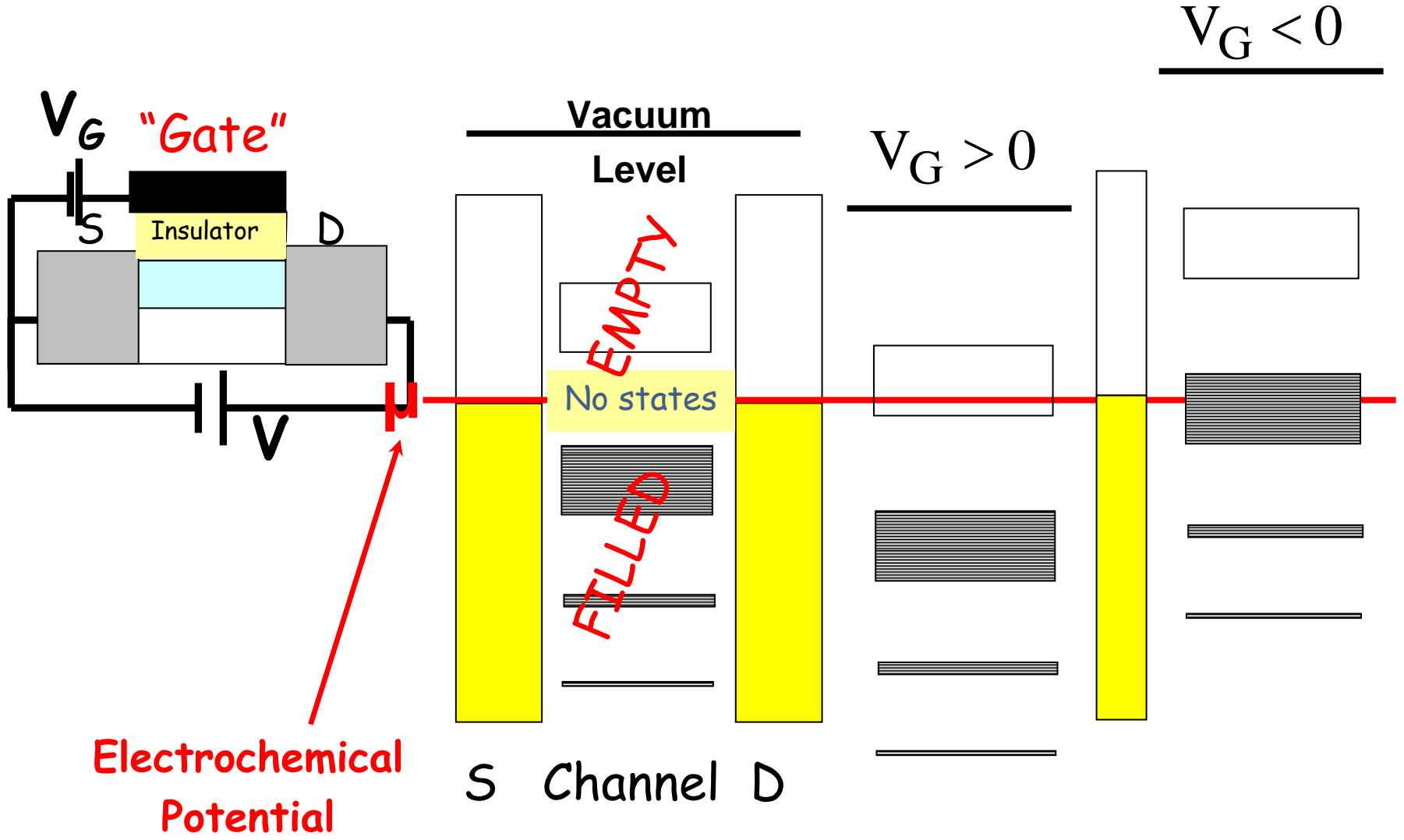
CHANNEL



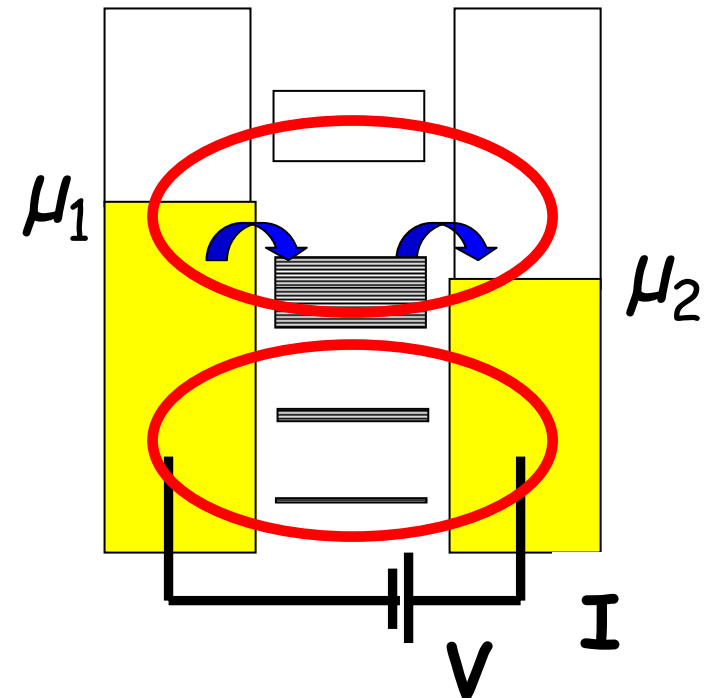
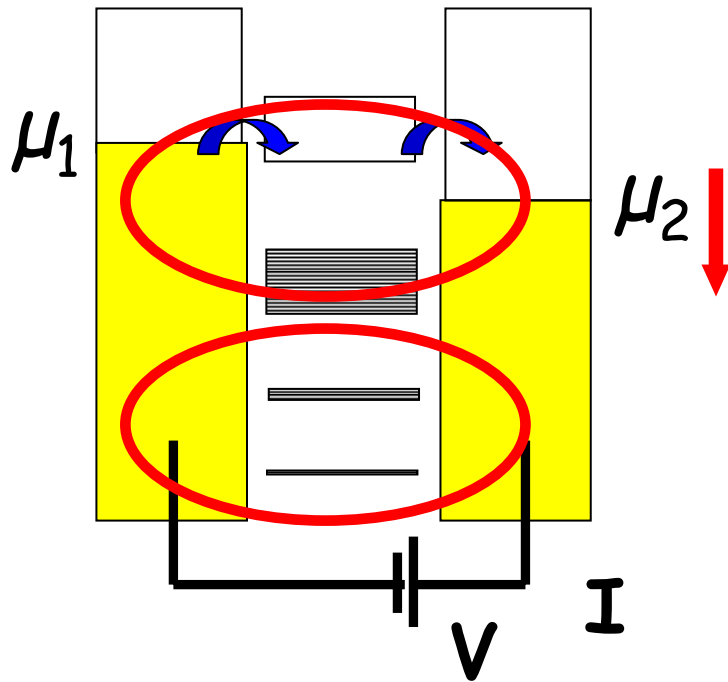
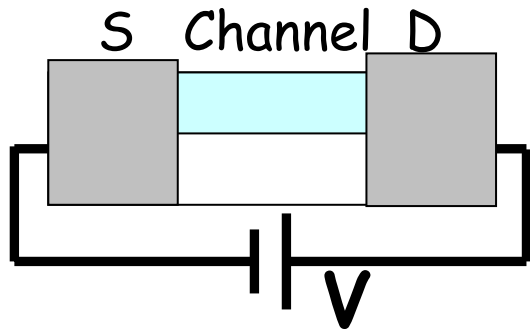
$$G = \underbrace{(q^2 / h)}_{1 / 25.8 \text{ K}\Omega}$$

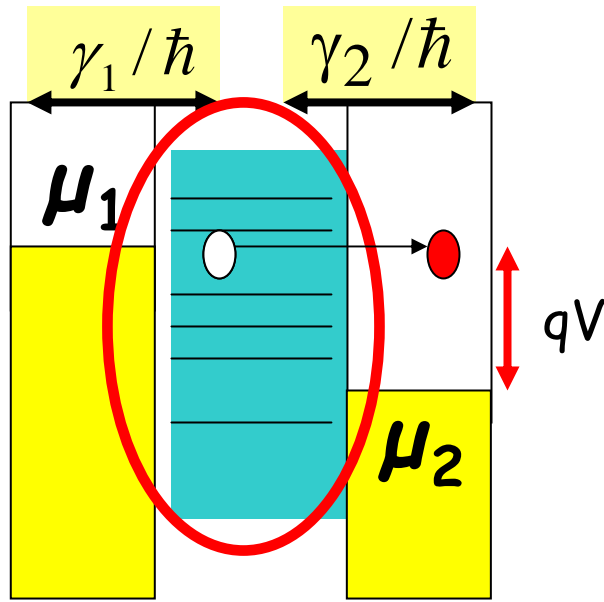
"Bottom"

Equilibrium Energy Level Diagram



What makes electrons flow?





Current depends on
Density of states, $D(E)$
around the contact
electrochemical
potentials.

AND

on escape rates

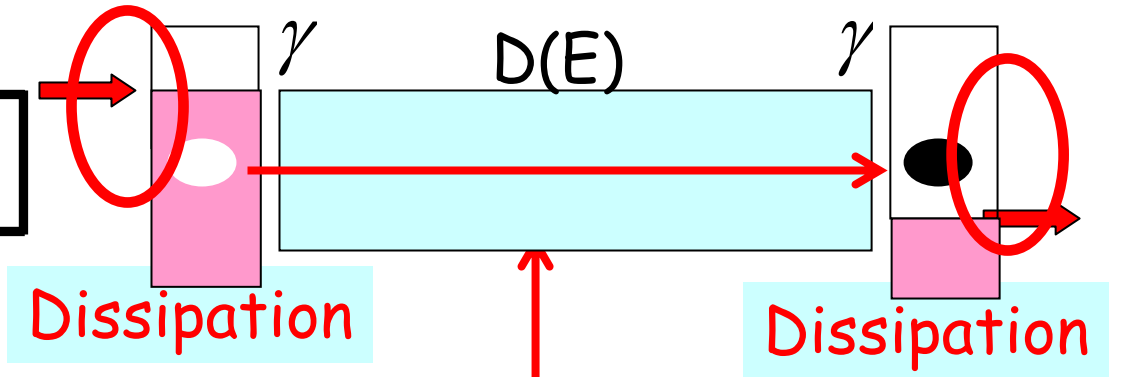
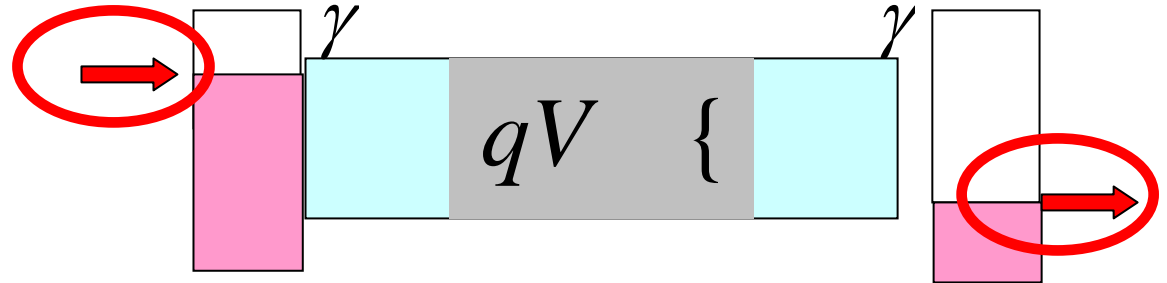
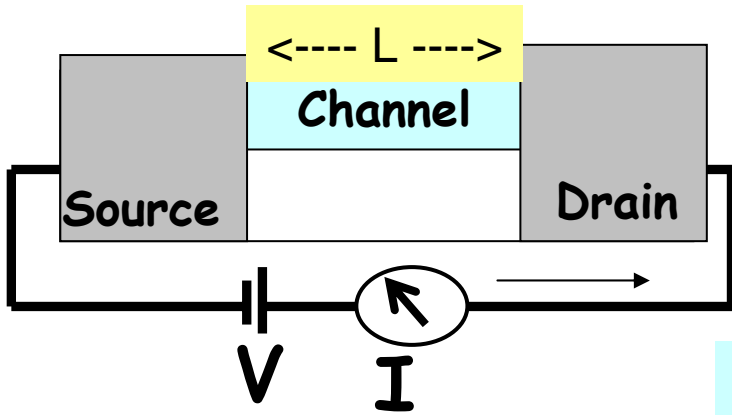
γ_1 γ_2

γ / \hbar : *Escape Rate*

γ has dimensions of energy

Where is the power dissipated ?

$Power = V I$



Contacts assumed to remain in equilibrium

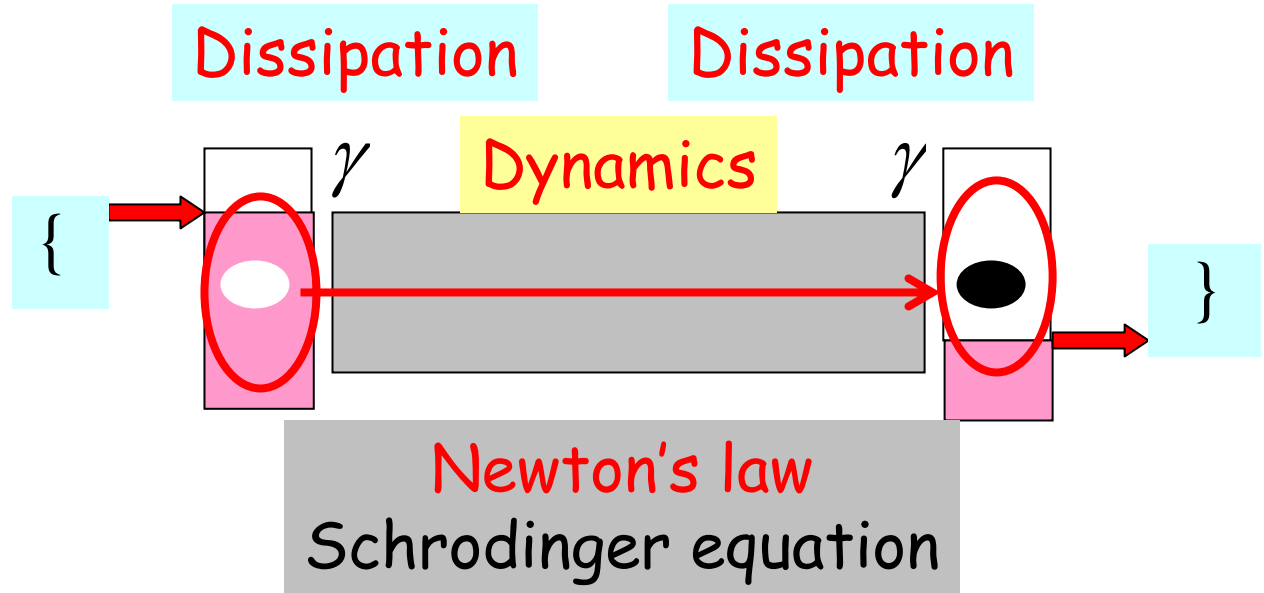
Thermodynamics

Newton's law
Schrodinger equation

Dynamics

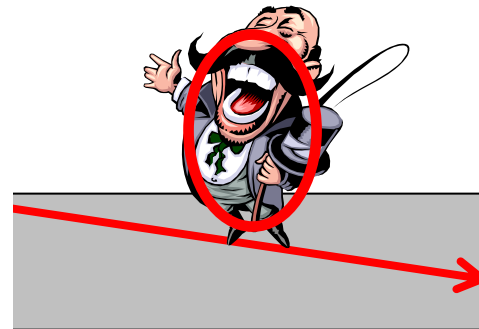
Separate dynamics
+ dissipation

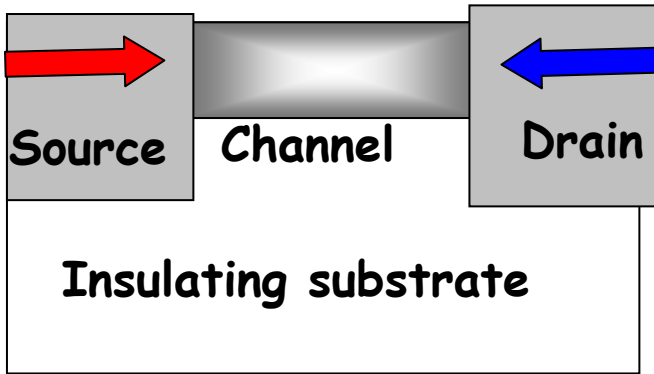
Landauer
model



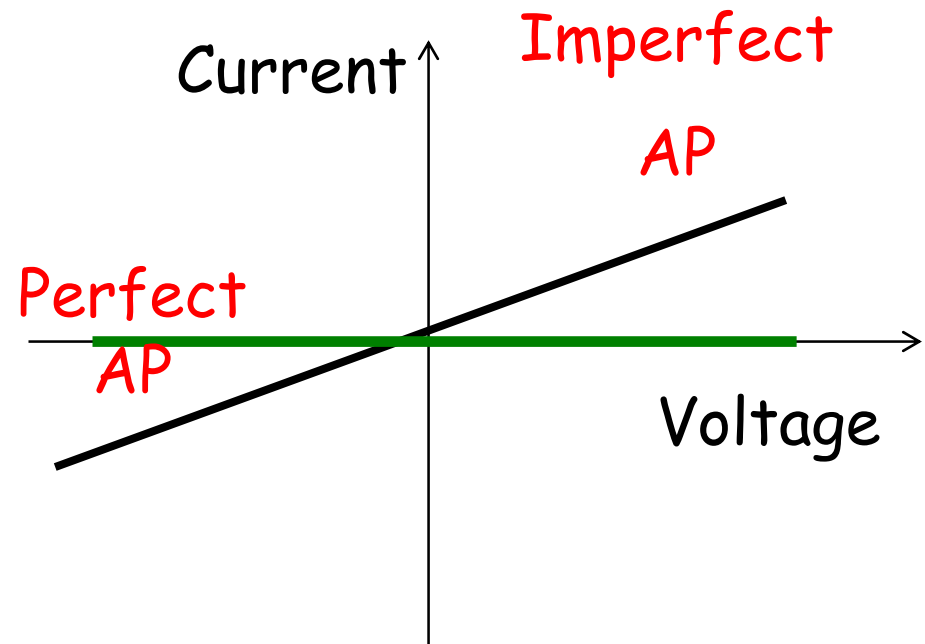
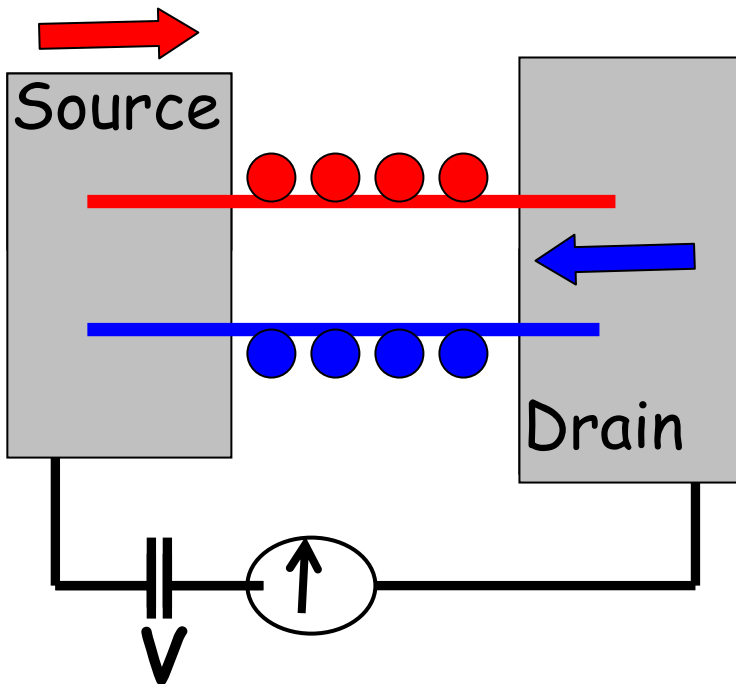
Mixed dynamics
+ dissipation

Boltzmann
NEGF

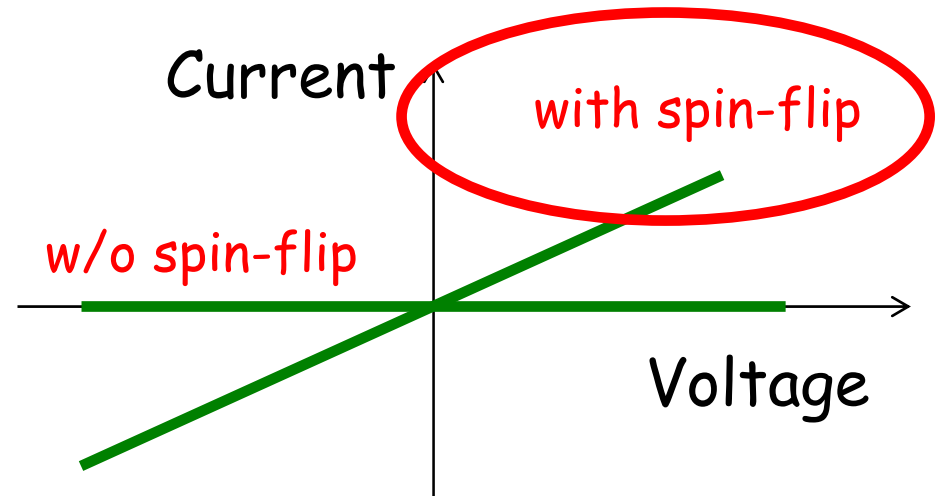
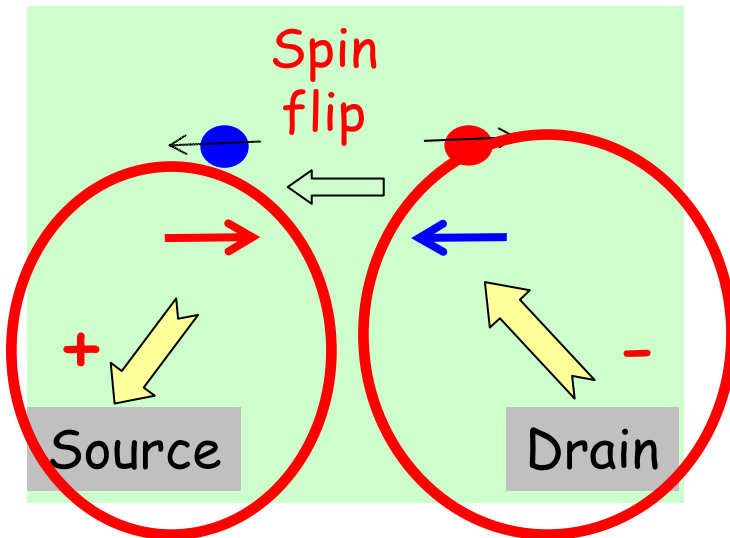
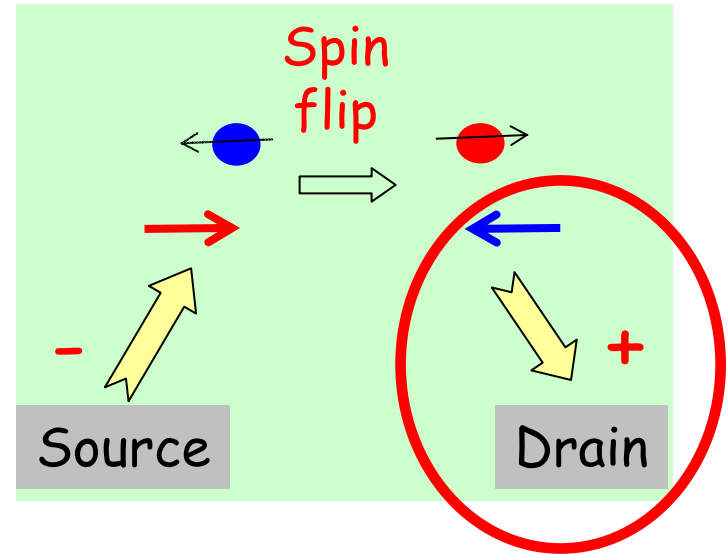
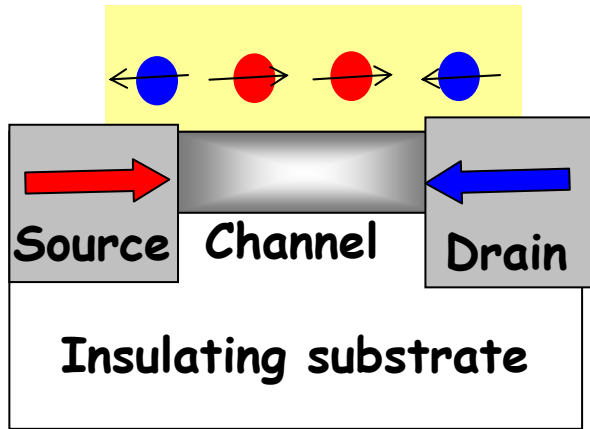




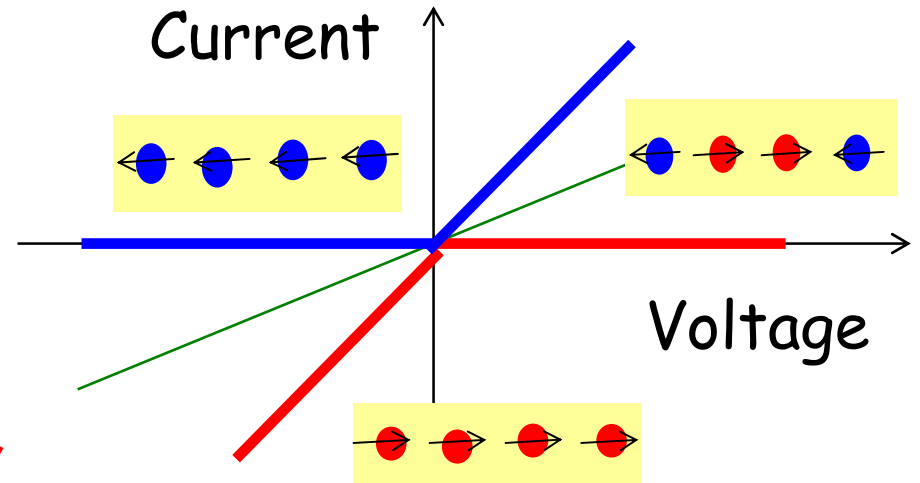
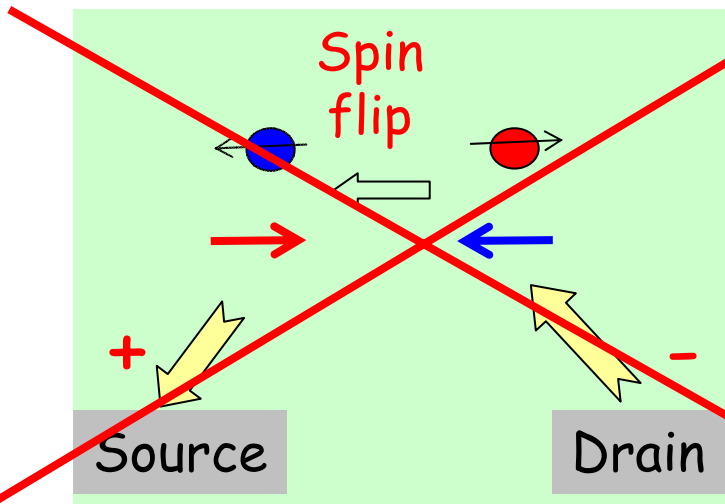
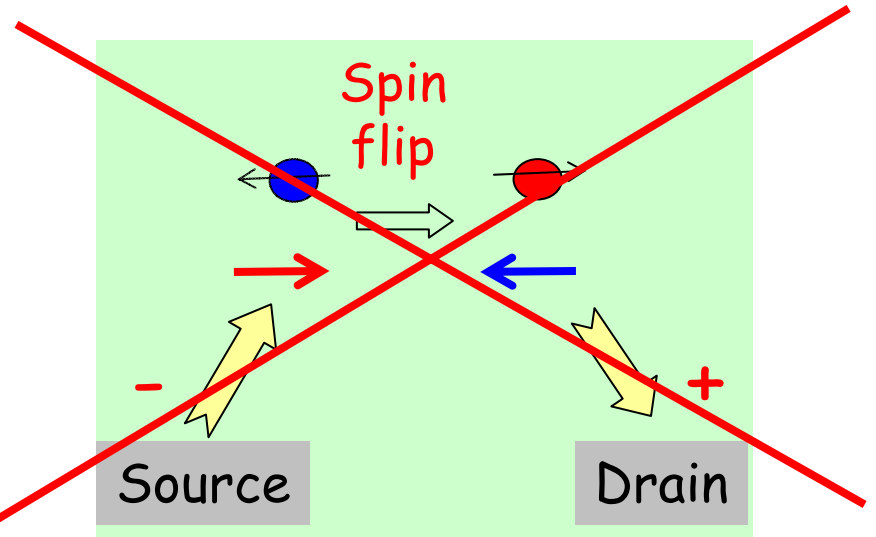
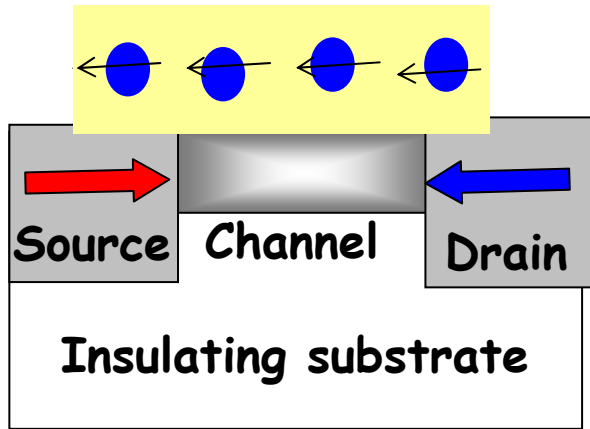
Anti-parallel (AP)



Perfect AP with Spin-flip Impurities



Perfect AP with Spin-polarized gate



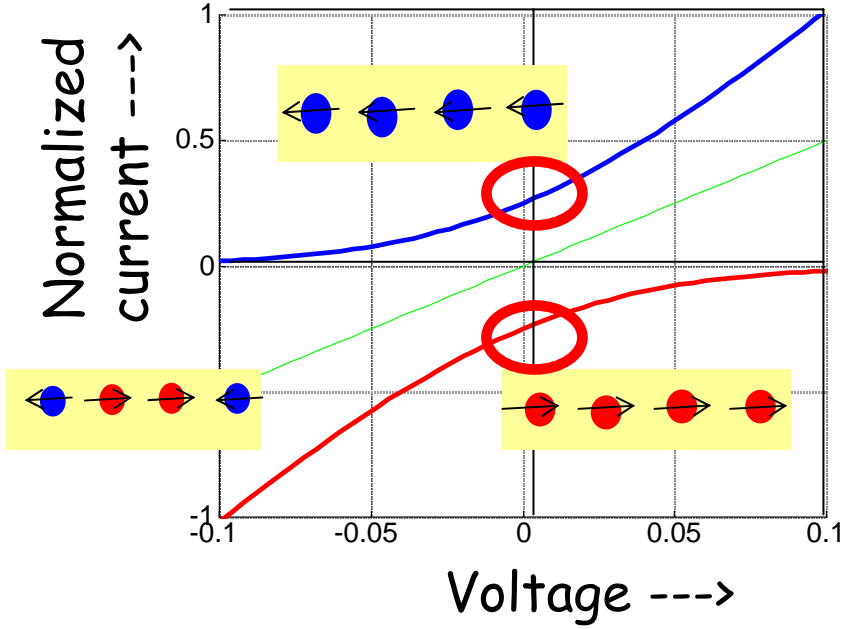
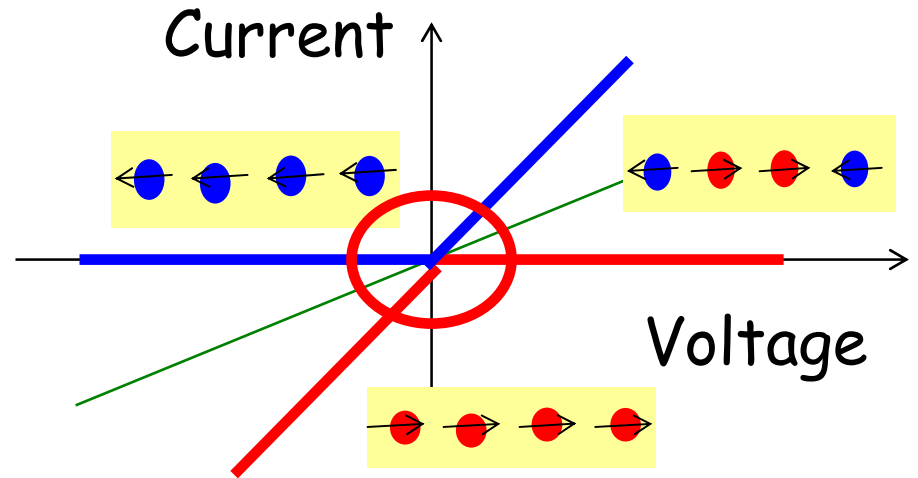
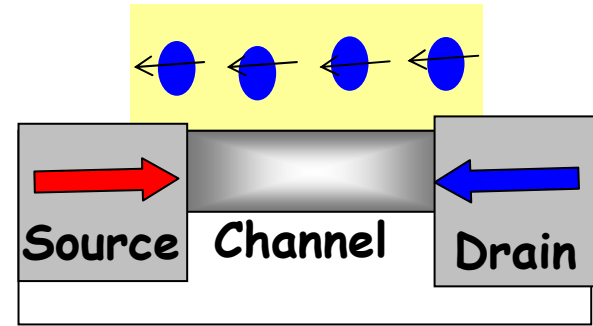
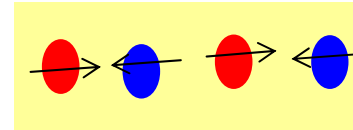
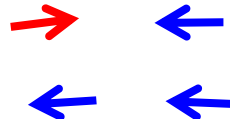
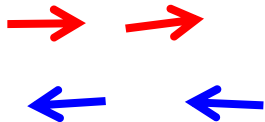
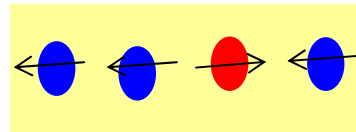
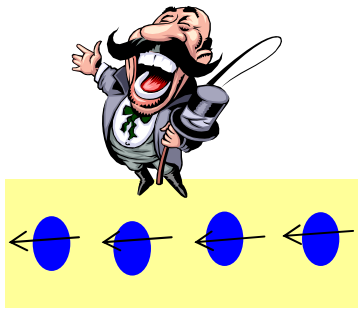
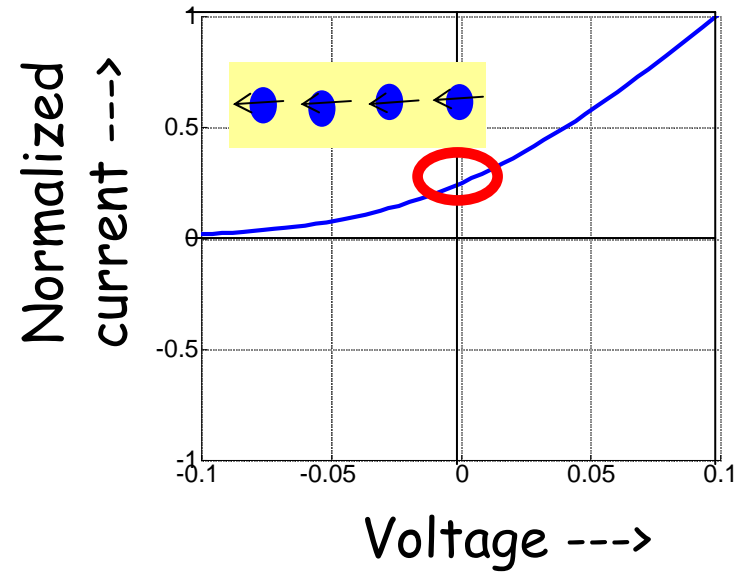
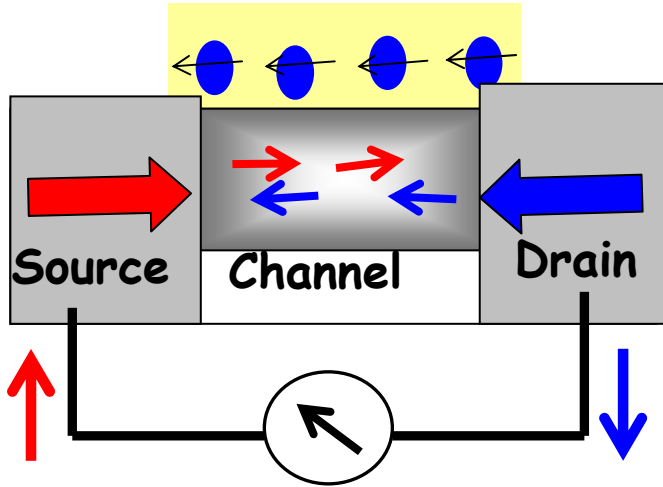
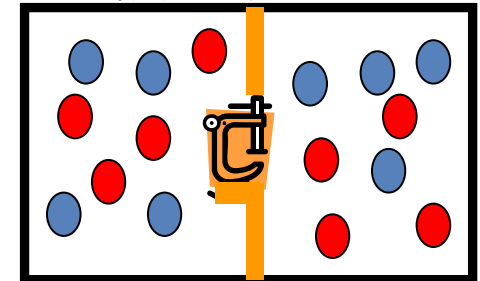


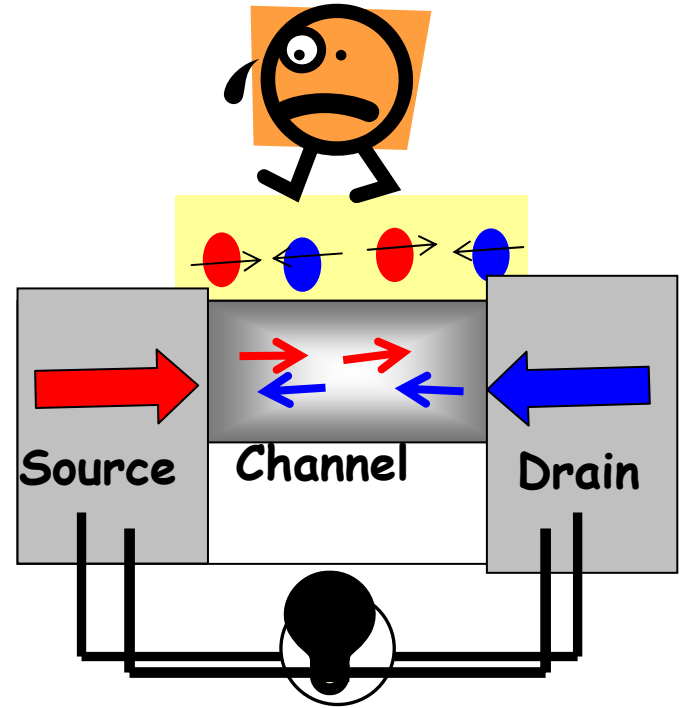
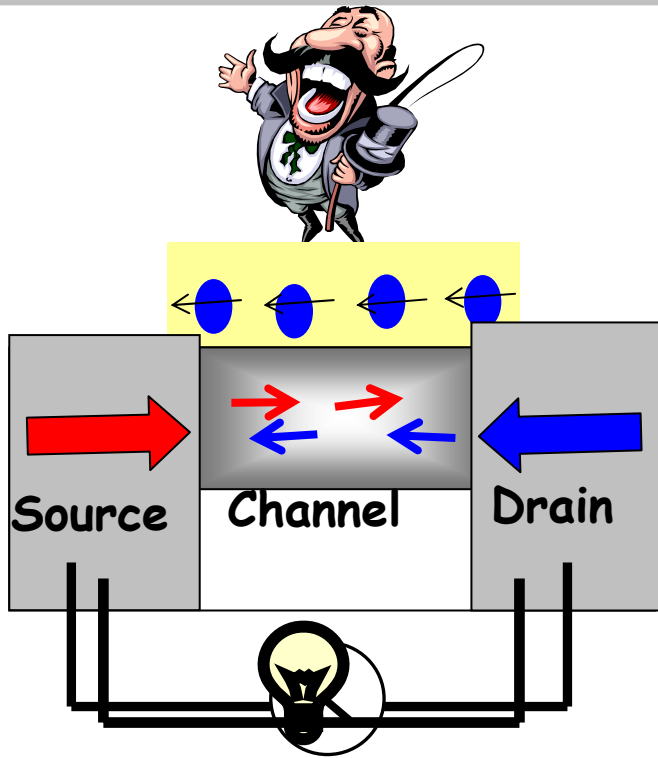
Fig : 1A



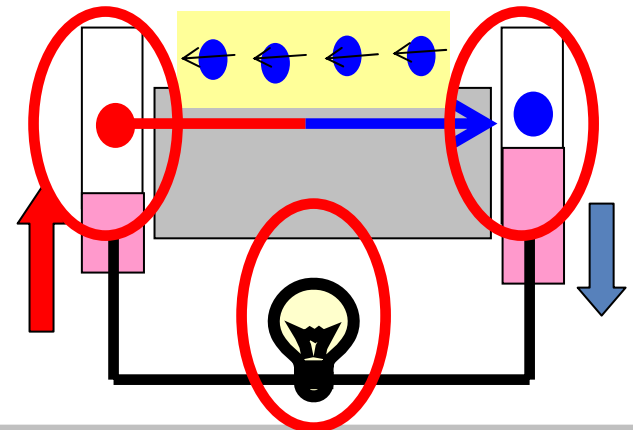


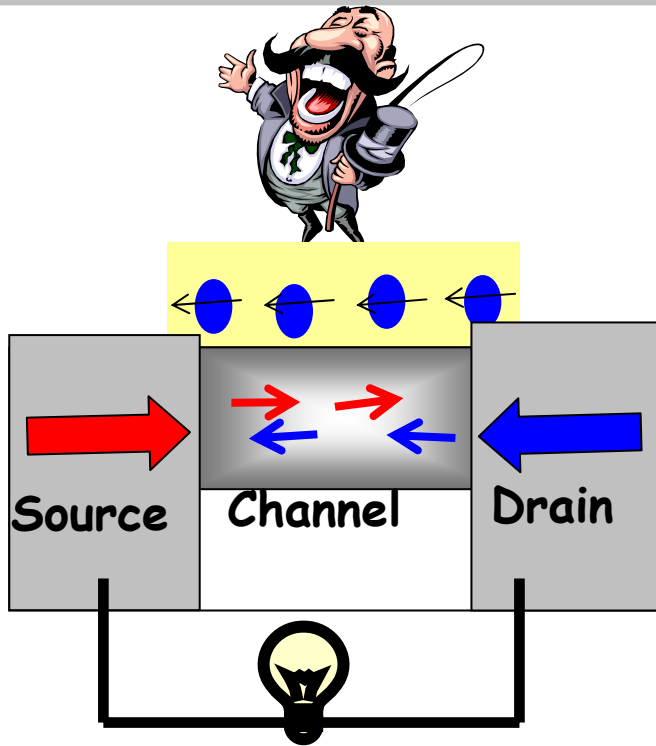
No further current





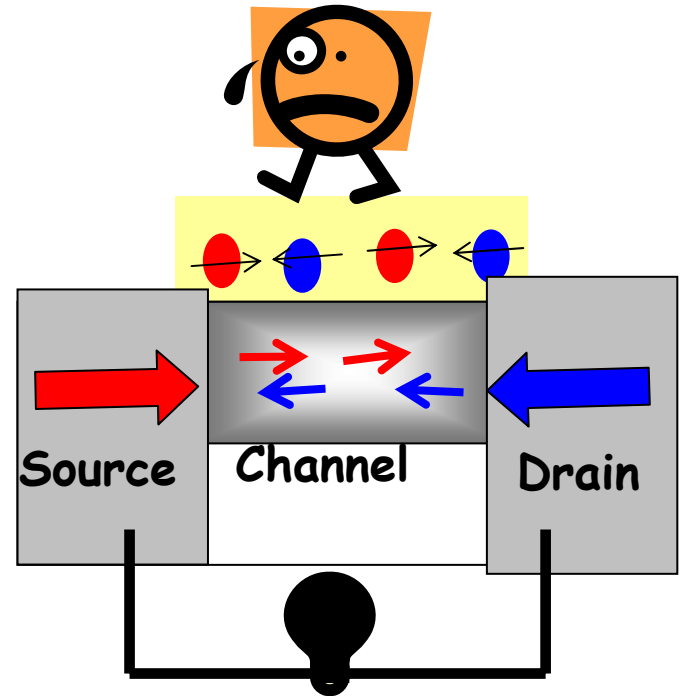
Answer: From the contacts





$$S = 0$$

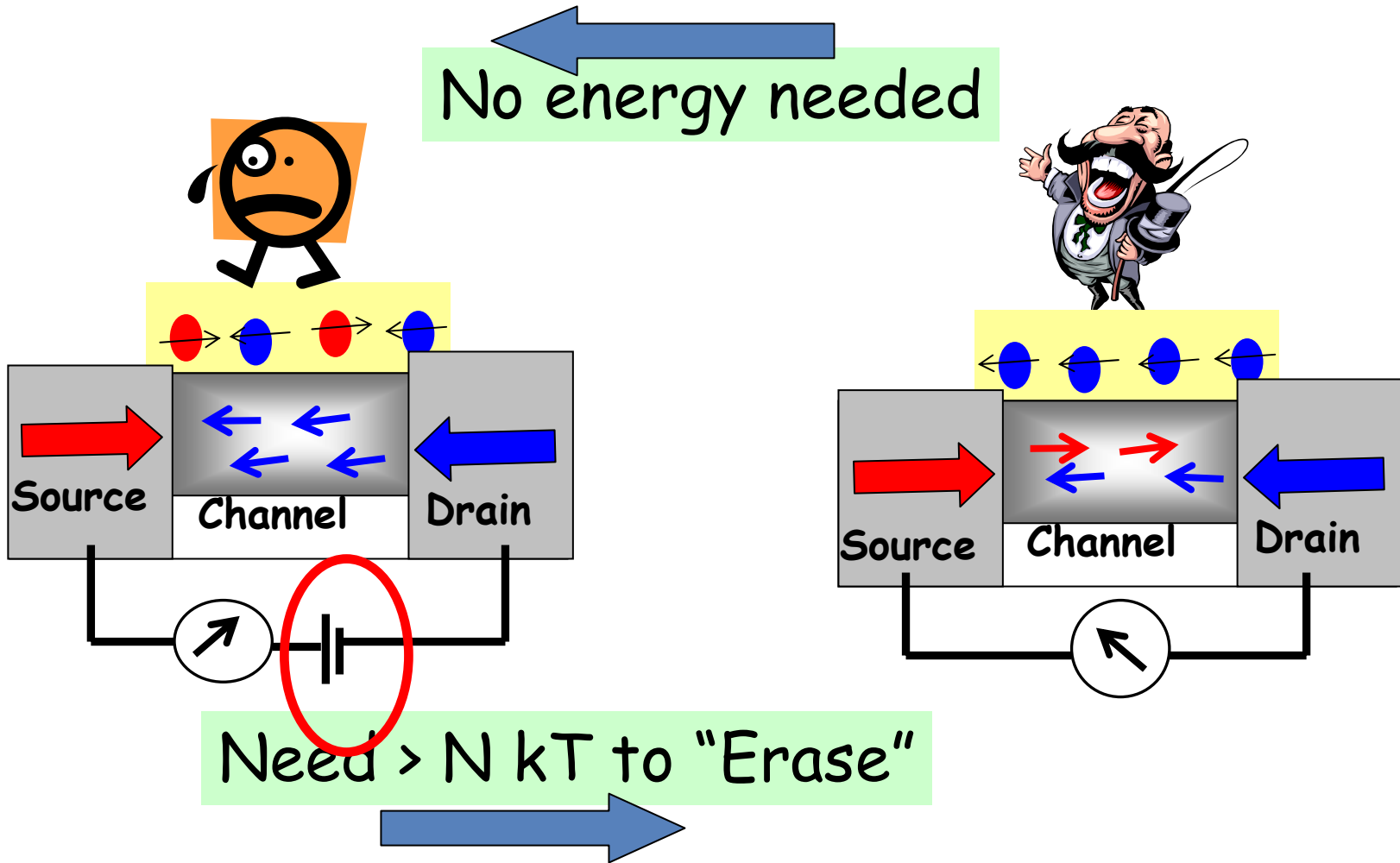
$$S = k \ln W$$



$$S = Nk \ln 2$$

Energy upto $T\Delta S$ may be extracted

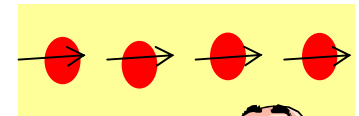
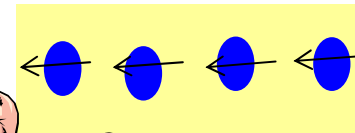
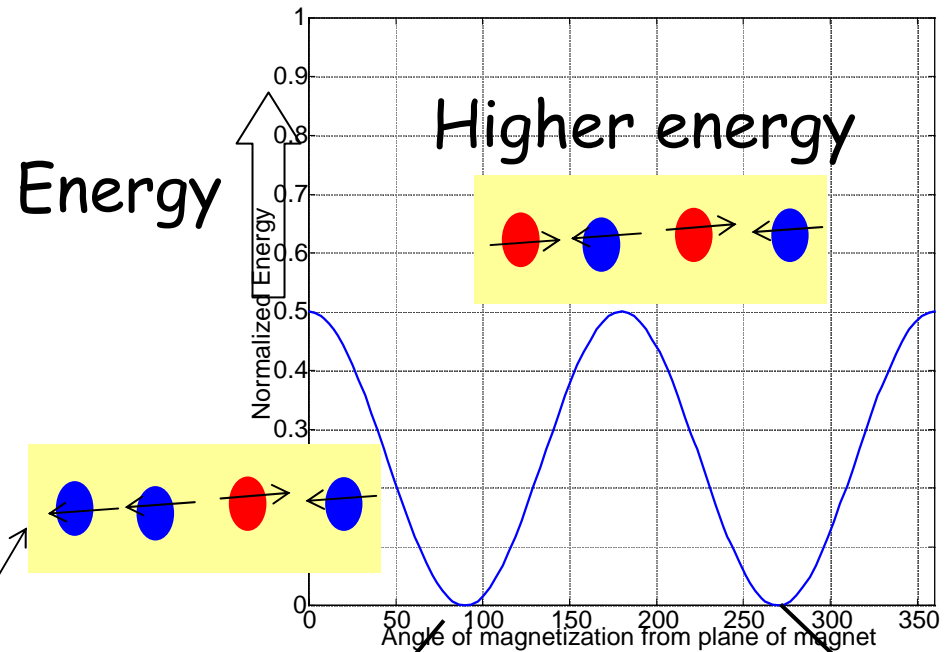
Resetting the demon takes energy

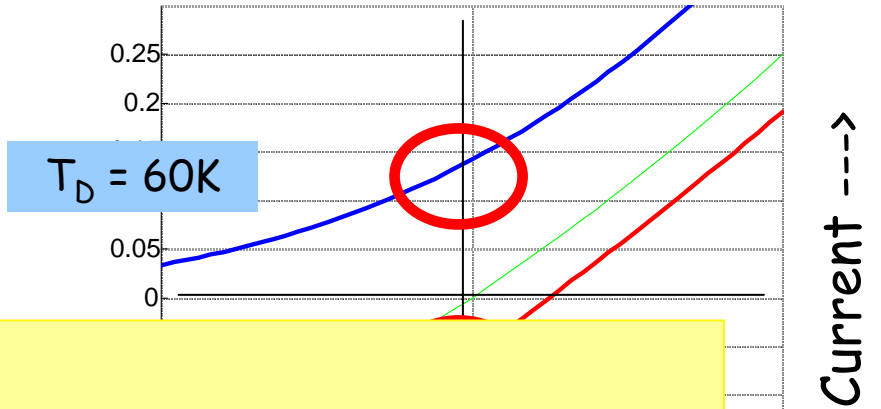
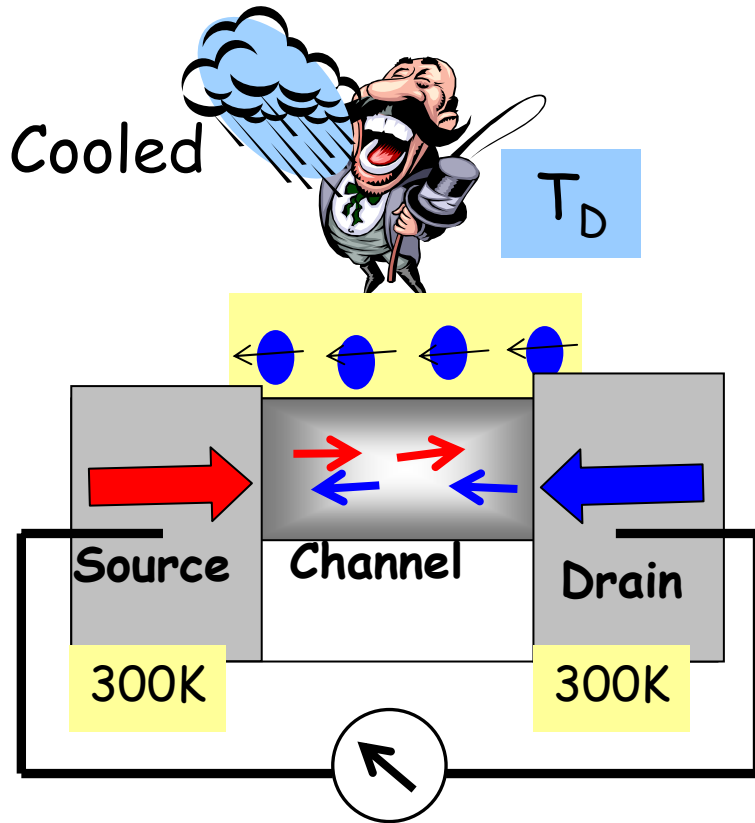


Maxwell's demon, ed. H.S.Leff and A.F.Rex,
ISBN 0-691-08727-X pbk

.. A finite-sized demon .. gets so hot that he cannot see very well after a while ..",
Feynman lectures,
Vol.1, 46-5.

Flipping a spin
costs energy

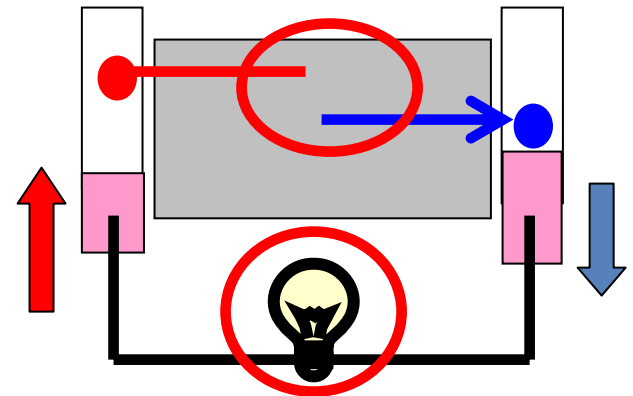


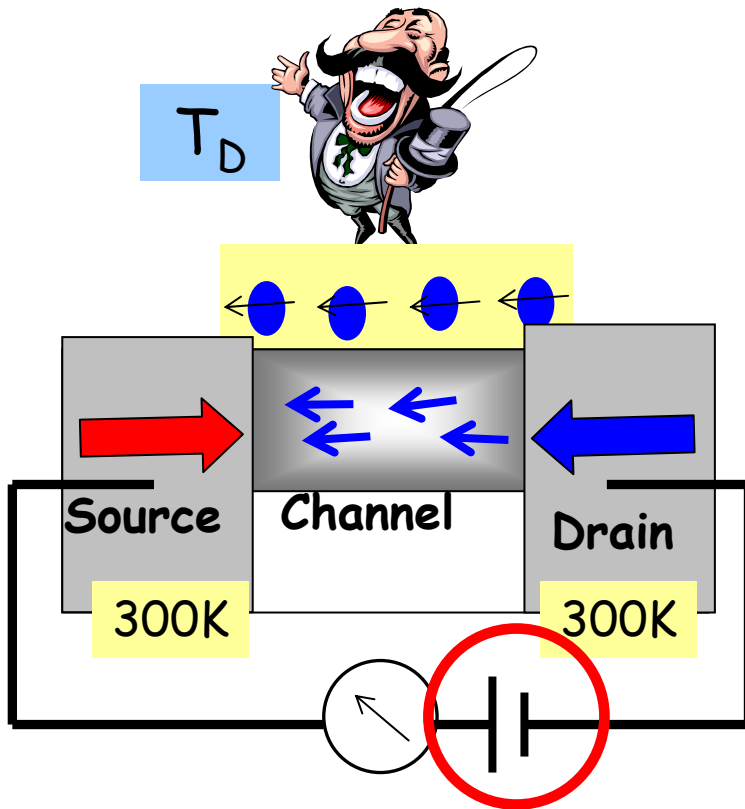


Q_1 : heat from contacts
 Q_2 : heat to demon
 $Q_1 - Q_2$: useful work

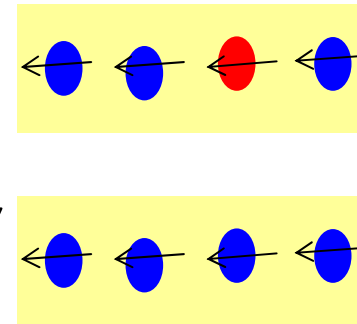
Carnot's principle

$$\frac{Q_1}{kT} < \frac{Q_2}{kT_D}$$





Cooled by device

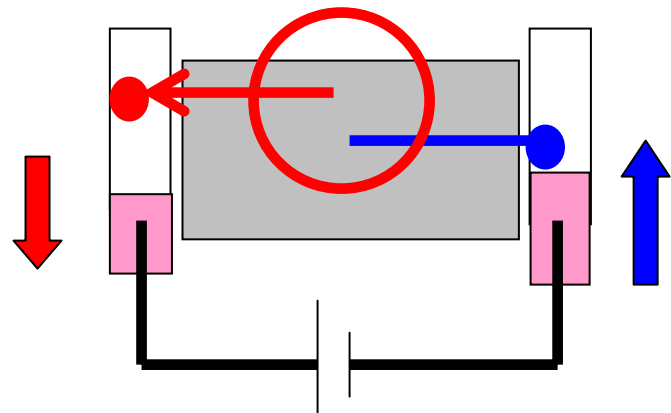


Heat from surroundings

Q_1 : heat delivered to contacts
 Q_2 : heat taken from demon
 Battery delivers $Q_1 - Q_2$

Carnot's principle

$$\frac{Q_1}{kT} > \frac{Q_2}{kT_D}$$

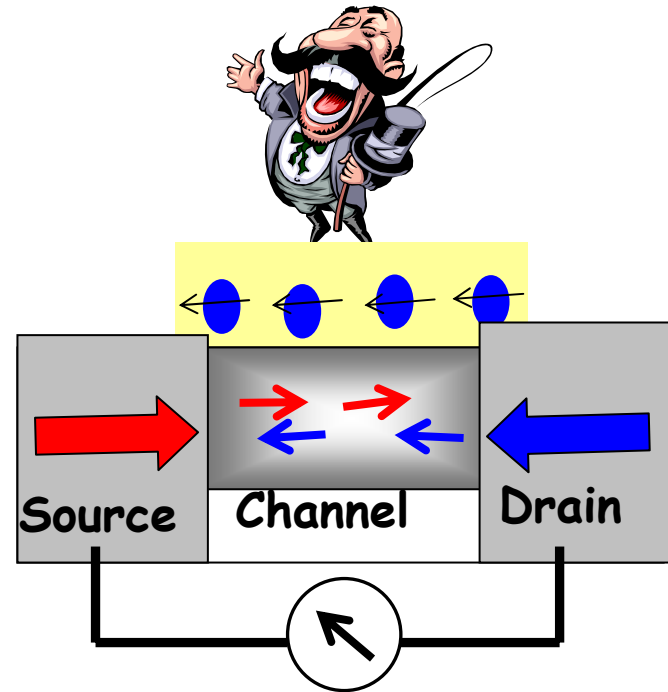
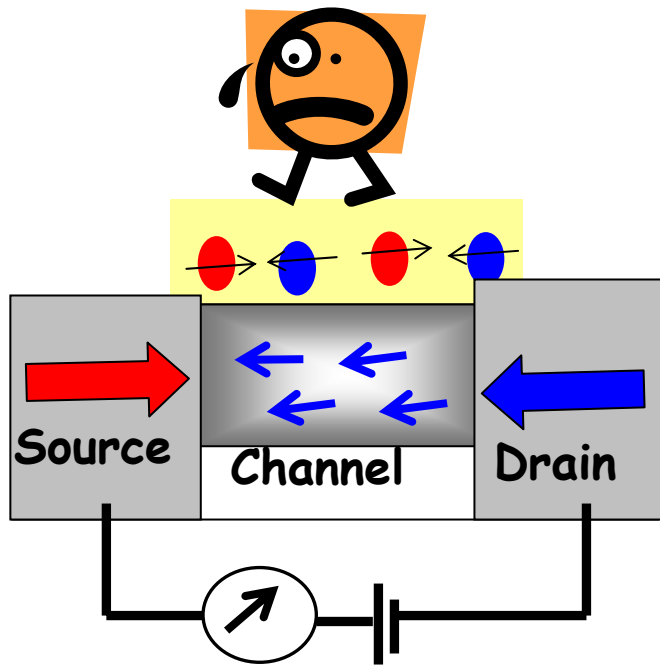


Why is the flow unidirectional ?

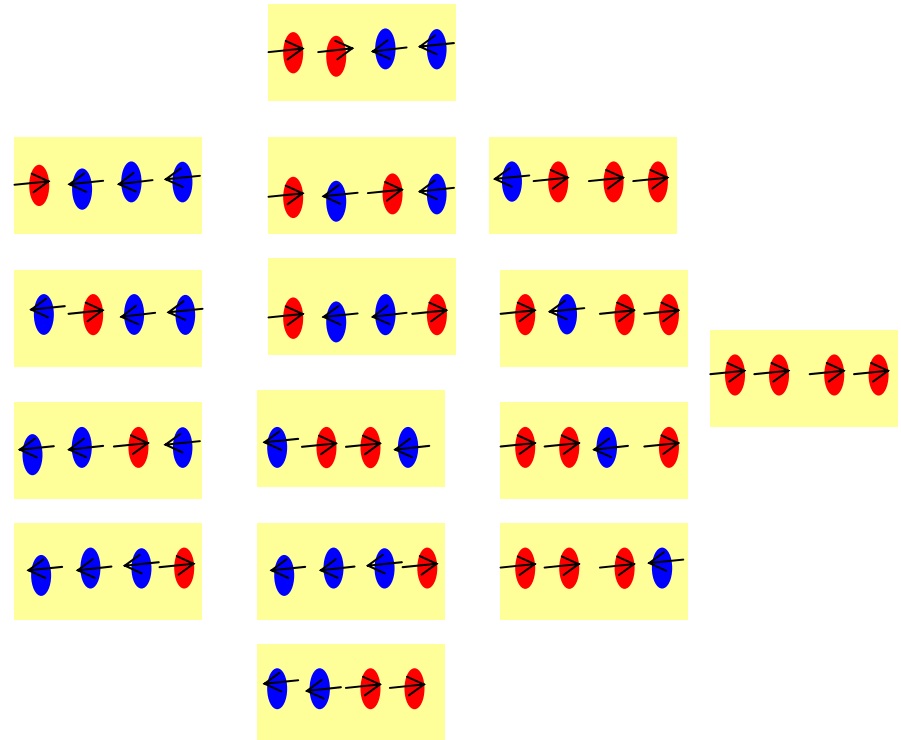
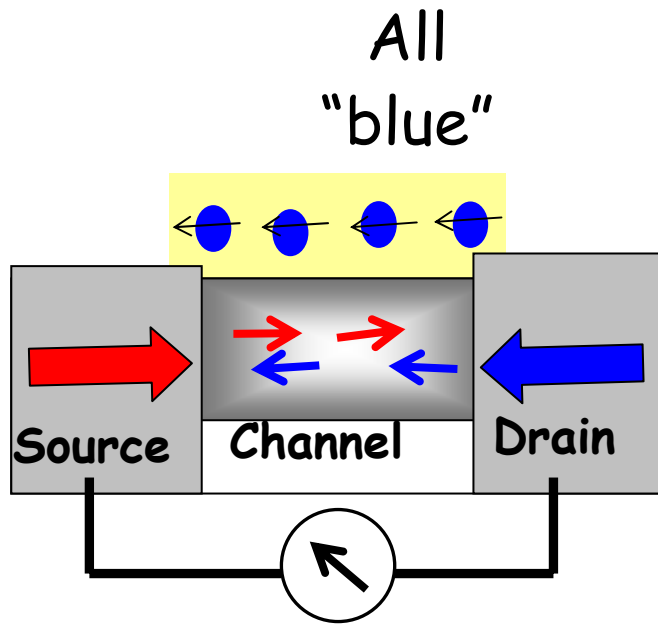
$$S = Nk \ln 2$$

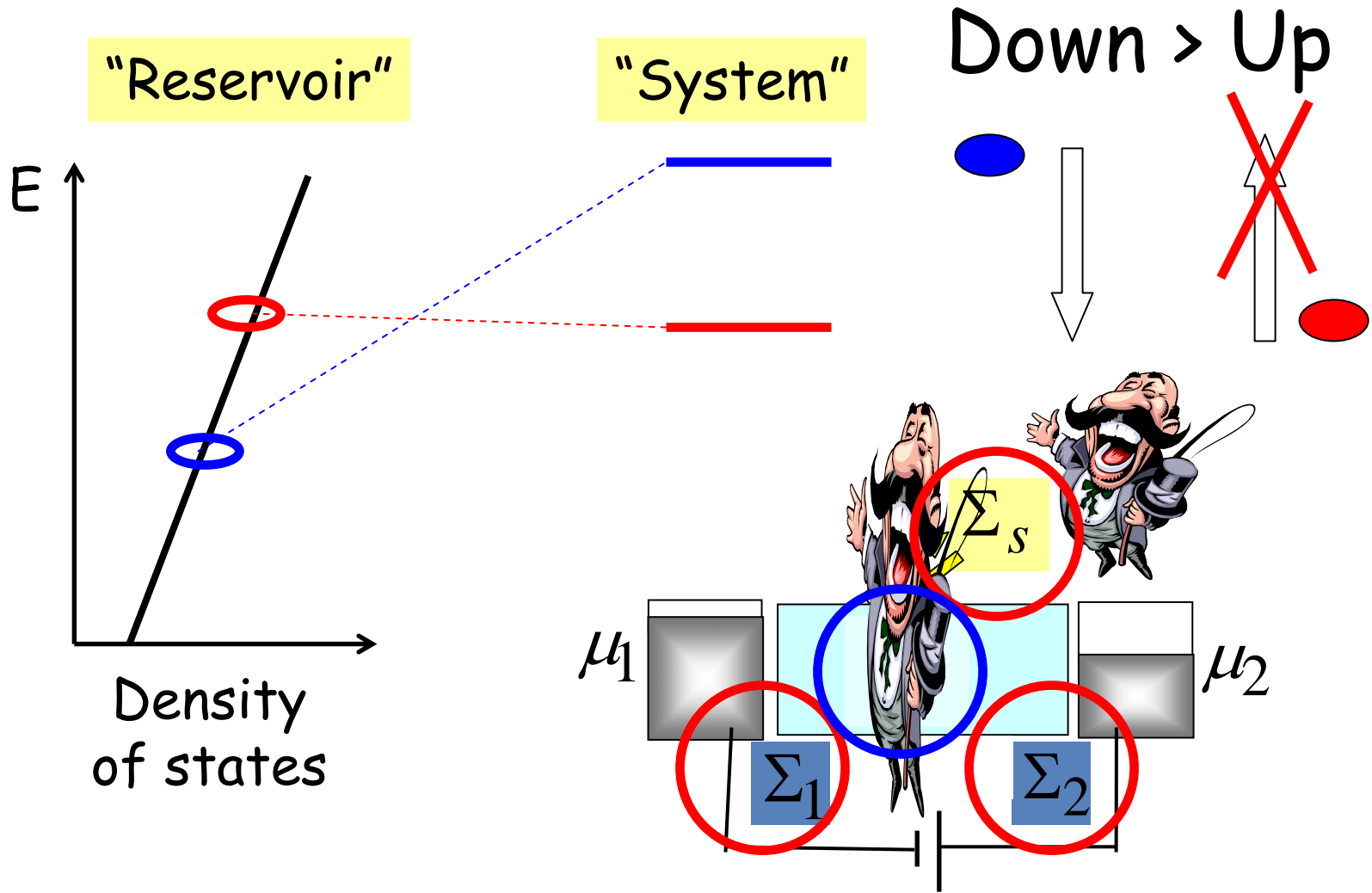
No energy needed

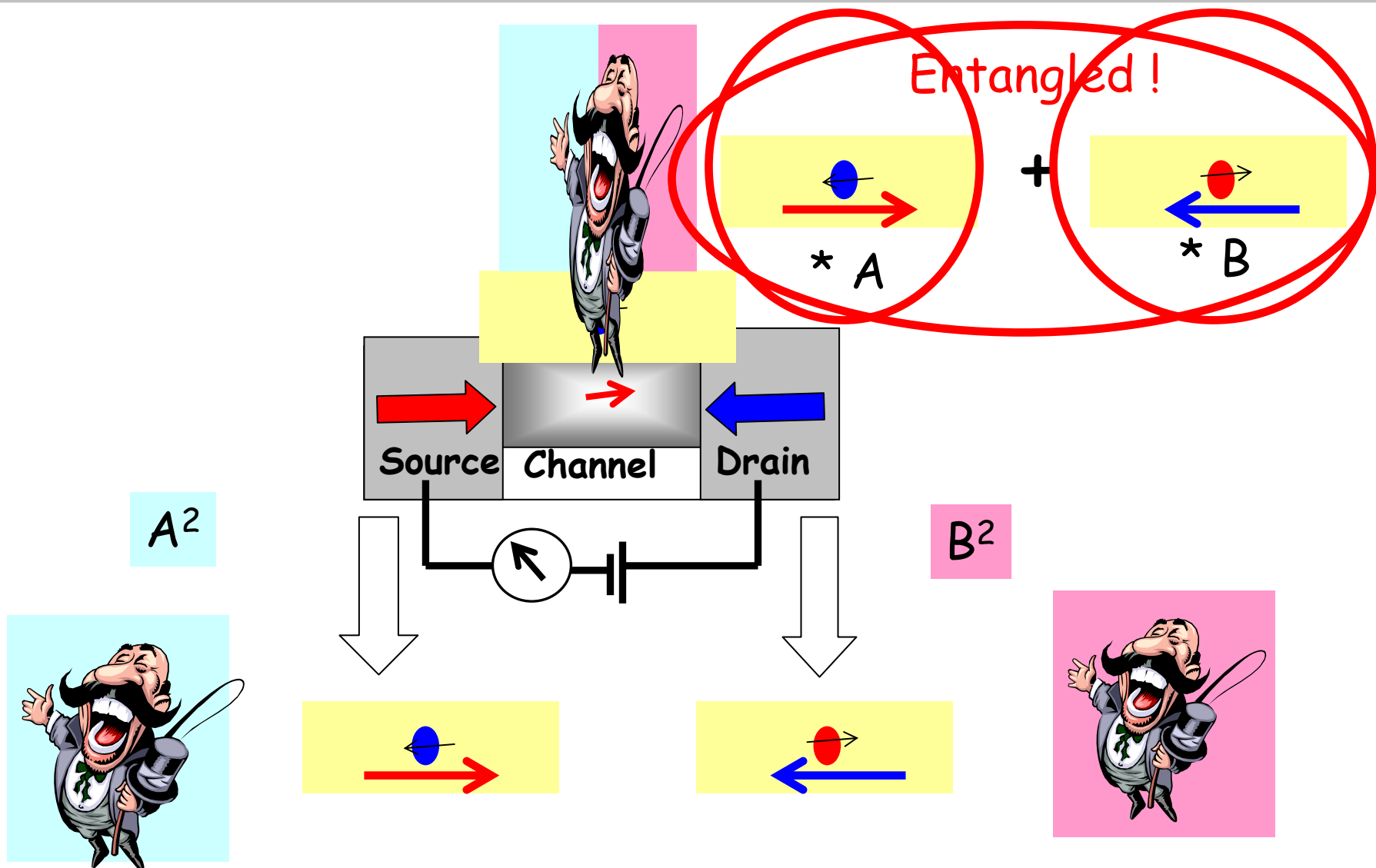
$$S = 0$$



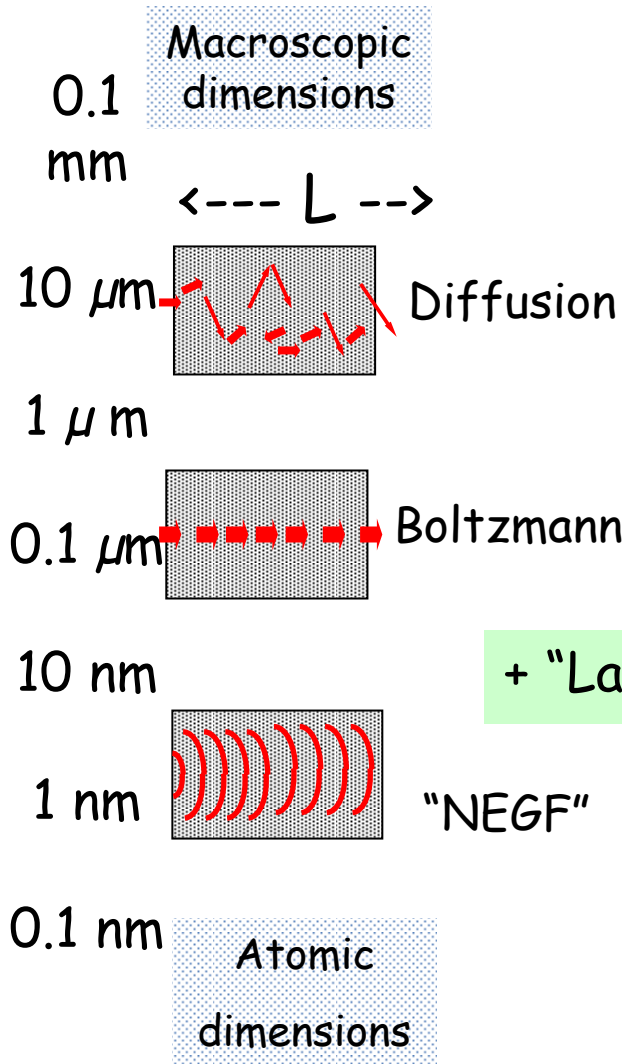
Need $> N kT$ to "Erase"



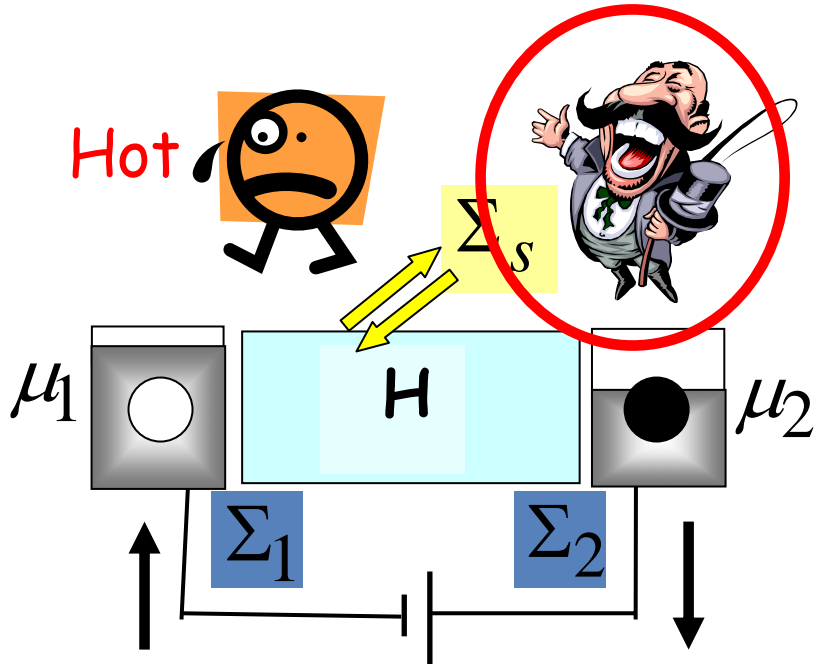




Unified model for nanodevices



"Even simple things .. work .. in only one direction because it has some ultimate contact with the rest of the universe .."
Feynman lectures, Vol.1, 46-8



Nanowires, nanotubes, molecules

Switches, energy conversion ...