

Section 24

Bipolar Junction Transistor - Fundamentals

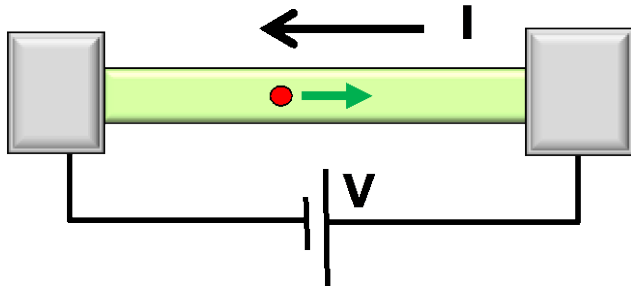
24.4 Ebers Moll Model

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Computer Engineering

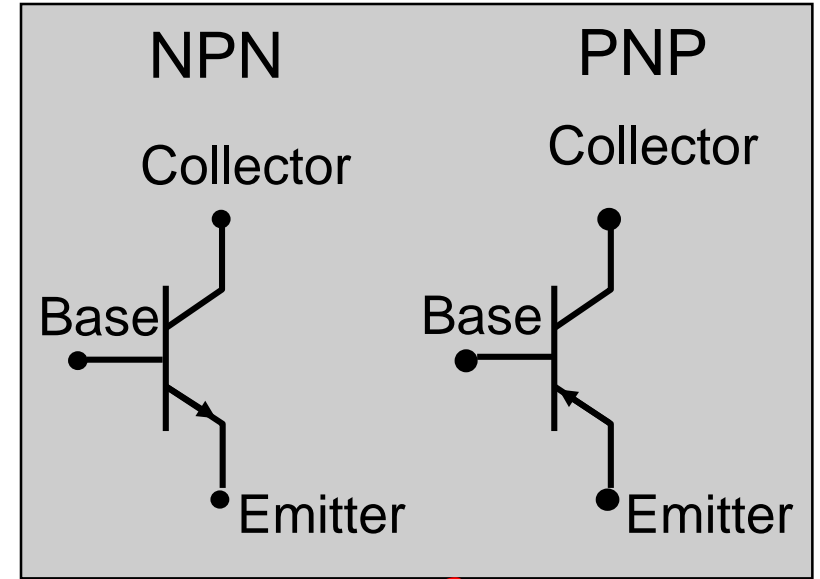
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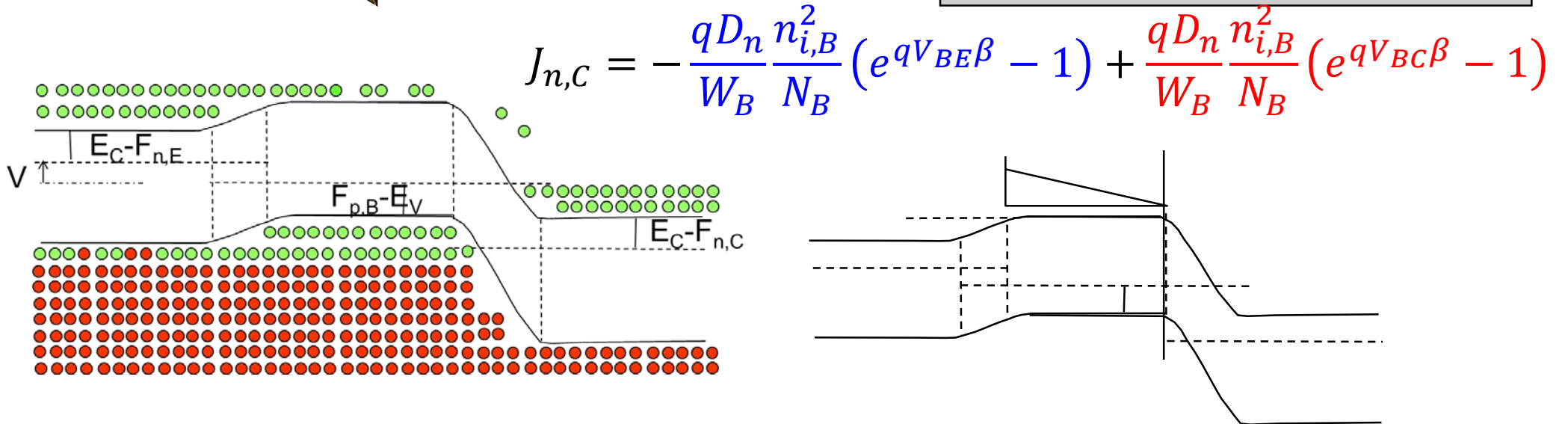
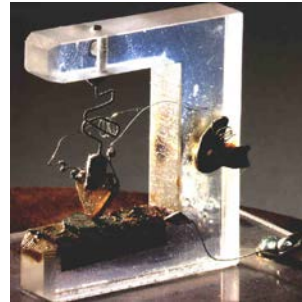
$$I = G \times V$$

$$= q \times n \times v \times A$$

↑ charge density
 ↑ velocity
 area



- > • 24.1 Introduction
- > • 24.2 Band Diagram in Equilibrium
- > • 24.3 Currents in BJTs
- > • 24.4 Ebers Moll Model



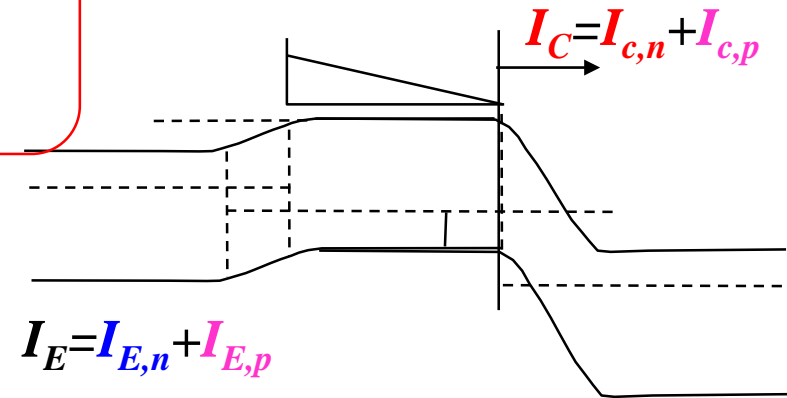
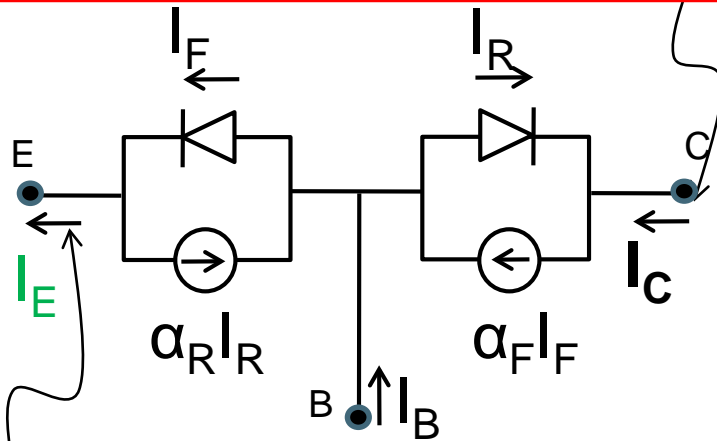
Ebers Moll Model

$$J_{n,c} = -\frac{qD_n n_{i,B}^2}{W_B N_B} (e^{qV_{BE}\beta} - 1) + \frac{qD_n n_{i,B}^2}{W_B N_B} (e^{qV_{BC}\beta} - 1)$$

Hole diffusion in collector

$$I_C = -A \frac{qD_n n_{i,B}^2}{W_B N_B} (e^{qV_{BE}\beta} - 1) + A \left[\frac{qD_n n_{i,B}^2}{W_B N_B} + \frac{qD_p n_{i,C}^2}{W_C N_C} \right] (e^{qV_{BC}\beta} - 1)$$

$$I_C \equiv \alpha_F I_{F0} (e^{qV_{BE}\beta} - 1) - I_{R0} (e^{qV_{BC}\beta} - 1)$$



$$I_F = I_{F0} (e^{qV_{BE}\beta} - 1)$$

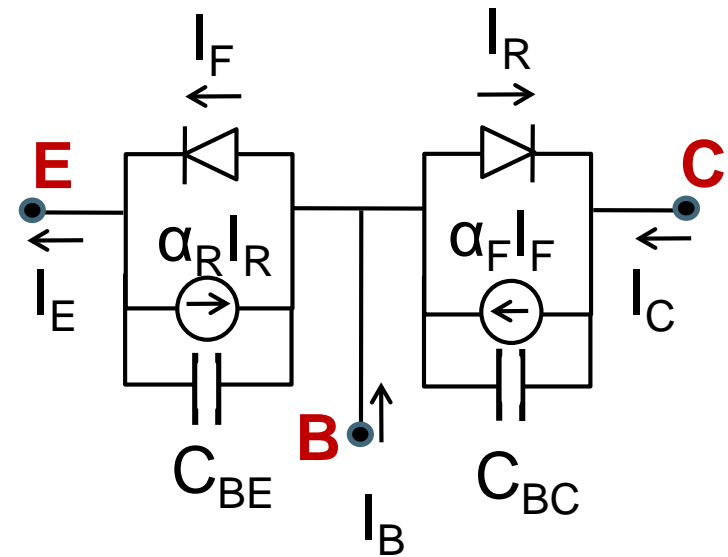
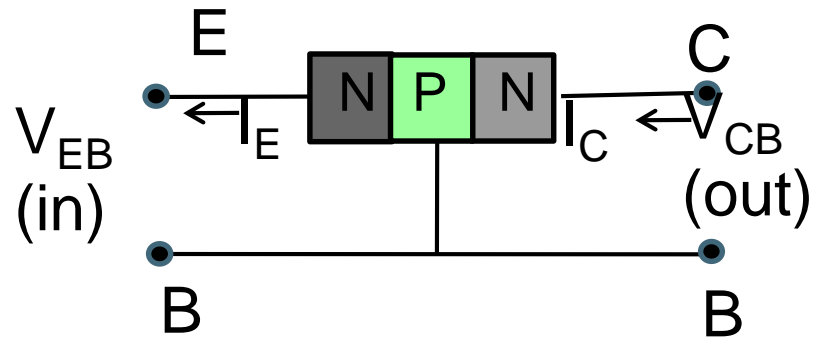
$$I_R = I_{R0} (e^{qV_{BC}\beta} - 1)$$

Temperature dependent

$$I_E = -A \left[\frac{qD_p n_{i,E}^2}{W_E N_E} + \frac{qD_n n_{i,B}^2}{W_B N_B} \right] (e^{qV_{BE}\beta} - 1) + A \frac{qD_n n_{i,B}^2}{W_E N_B} (e^{qV_{BC}\beta} - 1)$$

$$I_E \equiv I_{F0} (e^{qV_{BE}\beta} - 1) - \alpha_R I_{R0} (e^{qV_{BC}\beta} - 1)$$

Common Base Configuration



Junction capacitance
and diffusion capacitance

How would the model change if this was a Schottky barrier BJT?

The original transistor was a metal/ semicond / metal device
No minority carriers, no diffusion capacitance but the “rest” about the same.

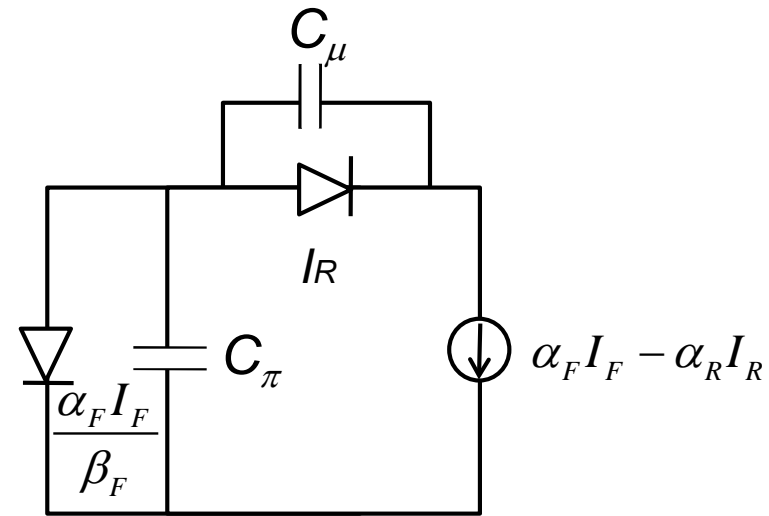
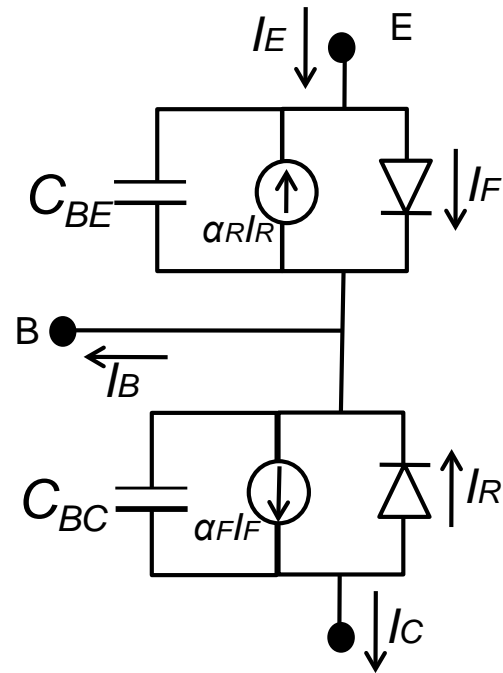
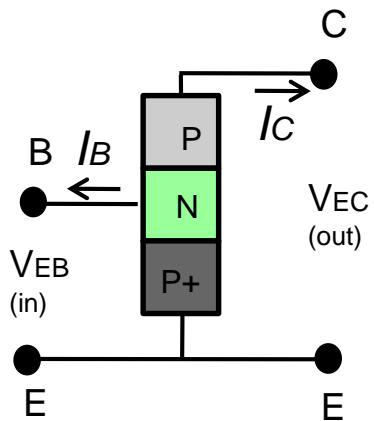
=> Emitter and collector current are identical => no current gain

Common base configuration provides power gain, but no current gain.

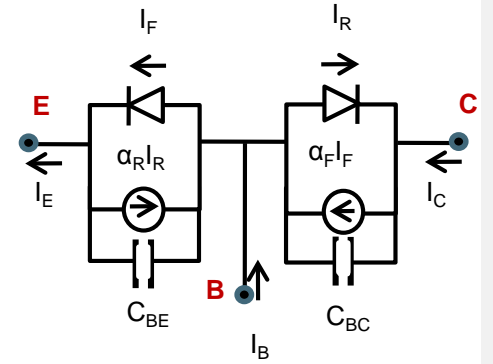
=> Collector current I_C can be driven through large resistor => power gain

Is there another configuration that can deliver current gain?

Common Emitter Configuration



$$\frac{\alpha_F I_F}{\beta_F} = \frac{\alpha_F I_F}{1 - \alpha_F} = (1 - \alpha_F) I_F = I_B$$

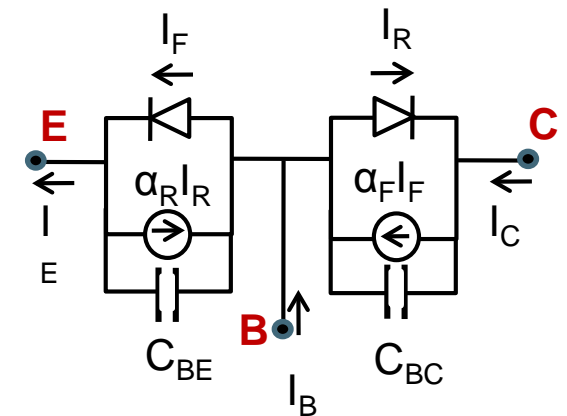
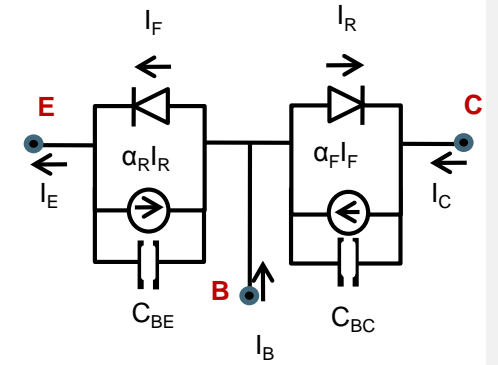


This is a practice problem ...

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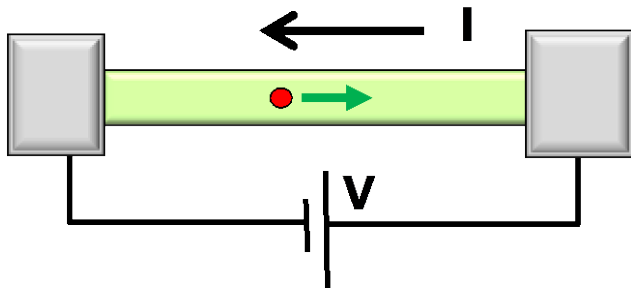
Bipolar Junction Transistor - Fundamentals

- The physics of BJT is most easily understood with reference to the physics of junction diodes.
- The equations can be encapsulated in simple equivalent circuit appropriate for dc, ac, and large signal applications.
- Design of transistors is far more complicated than this simple model suggests => the next lecture elements
- For a terrific and interesting history of invention of the bipolar transistor, read the book "Crystal Fire".



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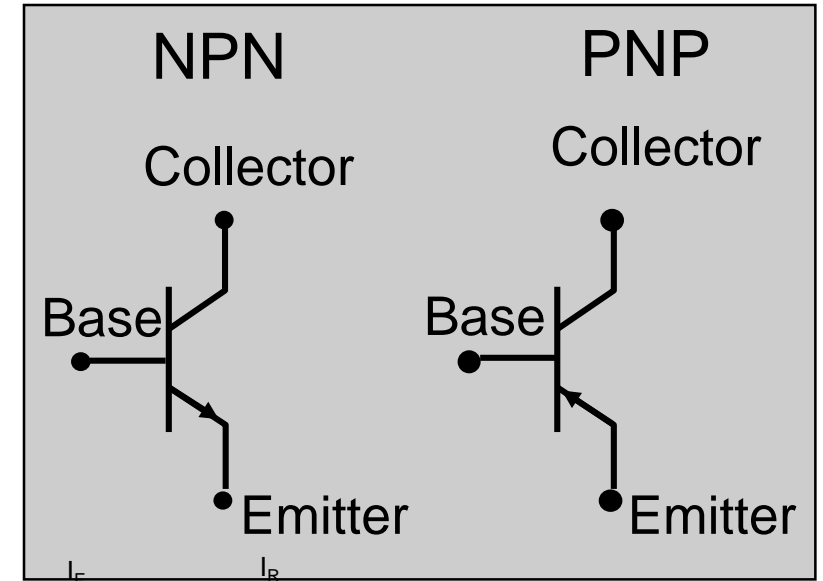
Bipolar Junction Transistor - Fundamentals



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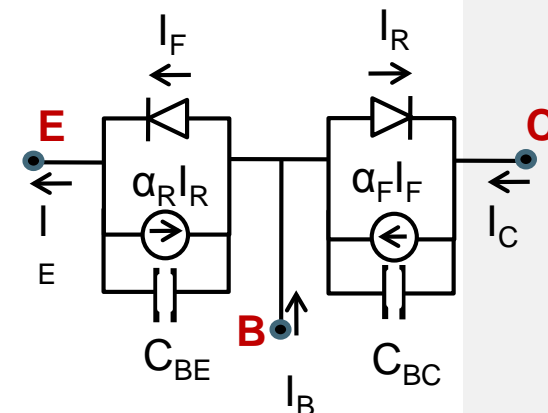
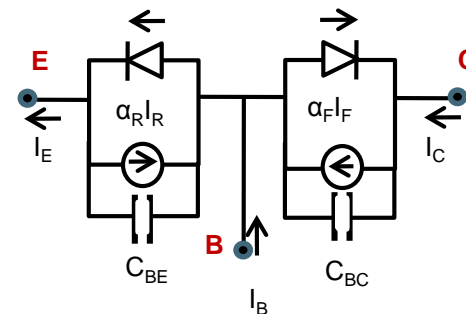
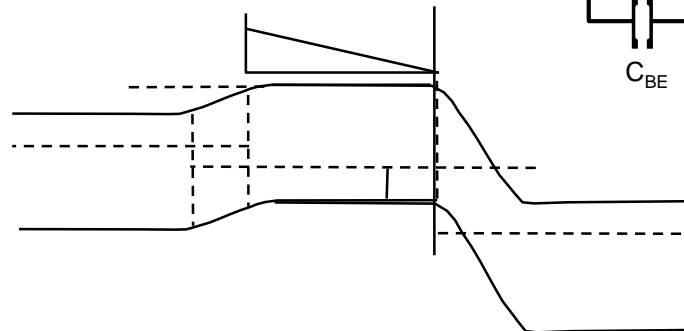
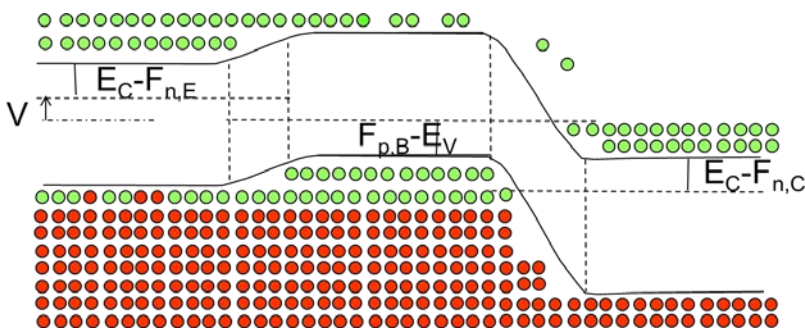
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↑ charge density
 ↑ velocity
 area

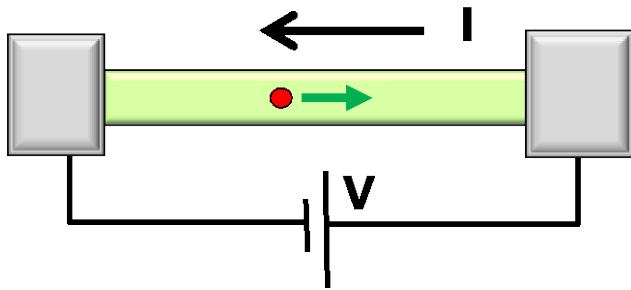


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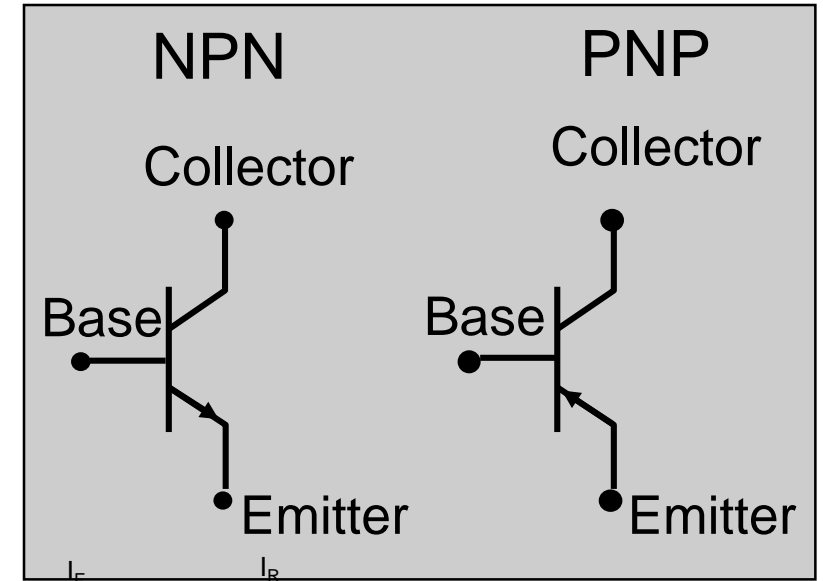
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- > • 25 BJT Design
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- > • 27 HBT – Heterojunction Bipolar Transistor

