

**1.3. Why Electrons Flow**

**1.3a.** The current through an *elastic resistor* can be written in terms of a conductance function  $G(E)$  and the Fermi functions in the two contacts  $f_1$  and  $f_2$ , as

$$(a) \ I = \frac{1}{q} \int_{-\infty}^{+\infty} dE \ G(E) (f_1(E) - f_2(E))$$

$$(b) \ I = \frac{1}{q} \int_{-\infty}^{+\infty} dE \ G(E) (f_1(E) + f_2(E))$$

$$(c) \ I = \frac{1}{q} \int_{-\infty}^{+\infty} dE \ G(E) f_1(E) (1 - f_2(E))$$

$$(d) \ I = \frac{1}{q} \int_{-\infty}^{+\infty} dE \ G(E) (1 - f_1(E)) f_2(E)$$

$$(e) \ I = \frac{1}{q} \int_{-\infty}^{+\infty} dE \ G(E) f_1(E) f_2(E)$$

**1.3b.** The reason we can write the current in an elastic resistor simply as a sum over independent energy channels is that

- (a) no heat is generated inside the channel
- (b) no heat is generated anywhere
- (c) an electron does not change its energy inside the channel**
- (d) an electron does not change its energy from one terminal of the battery to the other
- (e) none of the above