

Quiz Week 6
ECE 656: Electronic Conduction In Semiconductors
Mark Lundstrom
Purdue University, Fall 2017

- 1) What are the special properties of a contact in the Landauer model?
- a) Strong inelastic scattering keeps them near equilibrium.
 - b) Any electron incident upon the contact is completely absorbed (no reflections).
 - c) Each contact is described by its own Fermi level.
 - d) Contacts have a very large number of channels (modes) compared to the device.
 - e) All of the above.
- 2) Which of the follow is true about the Landauer expression for current:
$$I = (2q/h) \int \mathcal{T}(E) M(E) (f_1 - f_2) dE ?$$
- a) It applies to electrons in the conduction band.
 - b) It applies to electrons in the valence band.
 - c) It applies to holes in the valence band.
 - d) It applies to **both** electrons in the conduction band and holes in the valence band.
 - e) It applies to both electrons in the conduction band and electrons in the valence band.
- 3) What are the units of the quantity, $h \langle v_x^+(E) \rangle D(E)/4$? The units of $D(E)$ are J^{-1} .
- a) Energy
 - b) One over energy
 - c) Ohms
 - d) One over Ohms or Siemens.
 - e) The quantity is unitless.
- 4) What is meant by the term “near-equilibrium” transport?
- a) The contacts stay very close to equilibrium.
 - b) The Fermi level in the contact is close to its equilibrium value.
 - c) The Fermi levels of the two contacts, f_1 and f_2 , can be replaced by the equilibrium Fermi level.
 - d) The difference in Fermi levels between the two contacts can be replaced by a first order Taylor series expansion of $f_1 - f_2$.
 - e) The temperature of the two contacts is the same.

continued on next page

- 5) Consider a small nano-device under bias with a steady-state current flowing. Which of the following is true?
- One contact tries to fill states in the device and the other one tries to empty them.
 - Both contacts try to fill states in the device.
 - Both contacts try to empty states in the device.
 - All of the above.
 - None of the above.
- 6) Mathematically, the number of modes (channels) at energy, E , is proportional to what?
- The density of states.
 - The velocity.
 - The density of states times velocity.
 - The density of states divided by velocity.
 - The deBroglie wavelength.
- 7) How is the transmission, \mathcal{T} , related to the mean-free-path for backscattering, λ , and the length of the resistor, L ?
- $\mathcal{T} = e^{-L/\lambda}$.
 - $\mathcal{T} = e^{+L/\lambda}$.
 - $\mathcal{T} = \lambda/L$.
 - $\mathcal{T} = L/\lambda$.
 - $\mathcal{T} = \lambda/(\lambda + L)$.
- 8) For parabolic band semiconductors, $M(E)$ is independent of energy (above the bottom of the conduction band) for which of the following cases?
- 1D
 - 2D
 - 3D
 - 1D and 2D
 - 2D and 3D

continued on next page

- 9) Under what conditions does the Landauer expression for current, $I = \frac{2q}{h} \int \mathcal{T}(E) M(E) (f_1 - f_2) dE$, apply?
- Near-equilibrium.
 - For near-ballistic transport conditions, $L \ll \lambda$.
 - For diffusive transport conditions, $L \gg \lambda$
 - Far from equilibrium.
 - All of the above.
- 10) When should we NOT use the Landauer expression, $I = \frac{2q}{h} \int \mathcal{T}(E) M(E) (f_1 - f_2) dE$?
- When quantum transport is important.
 - When semi-classical transport dominates.
 - When the temperatures of the two contacts are different.
 - When hole conduction dominates.
 - When it is necessary to spatially resolve quantities inside the device.
- 11) The electron current equation commonly used in semiconductor physics is written as $J_n = \sigma_n d(F_n/q)/dx$. To derive this from the Landauer approach, what assumptions are needed?
- Near-equilibrium transport.
 - Constant temperature.
 - A conductor that is many mean-free-paths long.
 - Answers a) and c) above
 - Answers a) b), and c) above.
- 12) The drift-diffusion equation commonly used in semiconductor physics is written as $J_{nx} = nq\mu_n E_x + qD_n dn/dx$. What assumption is **NOT needed** to derive this equation from the Landauer approach?
- Near-equilibrium transport.
 - Constant temperature.
 - A conductor that is many mean-free-paths long.
 - Maxwell-Boltzmann statistics.
 - Steady-state conductions.

continued on next page

13) Which of the following is correct about the conductivity of a 2D metal?

- a) $\sigma_S = q^2 D_n(E_F) D_{2D}(E_F)$
- b) $\sigma_S = q^2 D_{2D}(E_F) \frac{v^2(E_F) \tau(E_F)}{2}$
- c) $\sigma_S = \frac{2q^2}{h} M_{2D}(E_F) \lambda(E_F)$
- d) $\sigma_S = n_S q \left(\frac{q \tau(E_F)}{m^*} \right)$
- e) All of the above are correct.

14) What is the quantity: $\frac{2q}{hn_S} \int \lambda(E) M_{2D}(E) \left(-\frac{\partial f_0}{\partial E} \right) dE$?

- a) The conductivity of a 2D material.
- b) The mobility of a 2D material.
- c) The diffusion coefficient of a 2D material.
- d) The average mean-free-path of a 2D material.
- e) The resistivity of a 2D material.

15) How can we determine if a long resistor is operating in near-equilibrium conditions?

- a) The voltage across the resistor must be less than $k_B T / q$.
- b) The measured current is proportional to the applied voltage.
- c) The magnitude of the electric field satisfies $\mathcal{E} \ll (k_B T / q) / \lambda_E$ where λ_E is the energy relaxation length.
- d) a) and b) above.
- e) a), b), and c) above.

16) The expression for the ballistic conductance, $G_{ball} = \frac{2q^2}{h} M(E_F)$ is valid when?

- a) In the degenerate limit.
- b) For 1D and 2D conductors.
- c) For isothermal conditions.
- d) For ballistic conductors
- e) All of the above.

continued on next page

- 17) In general, we can write the ballistic conductance as $G_{ball} = \frac{2q^2}{h} \langle M \rangle$. What is $\langle M \rangle$?
- The number of channels.
 - The number of channels at the Fermi energy.
 - The average number of channels in the Fermi window.
 - The number of channels at the bottom of the conduction band.
 - The total number of channels in the Fermi window.
- 18) The expression for the resistance, $R = R_{ball} (1 + L/\lambda_0)$ is **not valid** under what conductions?
- In the ballistic limit.
 - In the diffusive limit.
 - In between the ballistic and diffusive limits
 - When the mean-free-path depends on energy.
 - Under non-degenerate conductions.
- 19) For a ballistic resistor, the power dissipated is $P_D = IV = V^2/R$. Where is this power dissipated?
- Uniformly within the resistor
 - Near the two ends of the resistor
 - In the contact with the most positive voltage
 - In the contact with the most negative voltage
 - In the two contacts.
- 20) For a ballistic resistor, with a voltage, V , applied across it, where does the voltage drop?
- Uniformly within the resistor.
 - Near the two ends of the resistor.
 - In the contact with the most positive voltage.
 - In the contact with the most negative voltage.
 - In the two contacts.