Appendix: A wonderful set of animation of ESR and SDR by Dr. Cochrane, Penn State

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Resonance of Electrons

- Electrons have intrinsic discretized angular moment called spin.
- They are Fermions so they are $s=1/2$ and $m_\downarrow s=\pm 1/2$.
- In an applied magnetic field, an electron spin will occupy one of these two states.
- With application of EM radiation, one enables electron energy state transitions.

Only unpaired electrons are EPR active!

$$E=\hbar \nu = \hbar g e \mu_\beta B \downarrow 0$$

$B\downarrow 0 = \hbar \nu / g e \mu_\beta$

$E=\hbar \nu, B\downarrow 1, E \downarrow m_\downarrow s = +1/2$

$\Delta E=g e \mu_\beta B \downarrow r$

$E \downarrow m\downarrow s = -1/2$

$B=\hbar \nu / g e \mu_\beta$

$\mu_\beta$, Bohr magneton; $B_r$, magnetic field at resonance

$h$ = Planck’s constant, $\nu$ = microwave frequency

$g$ = orientation dependent parameter

$E=0$, $E=\hbar \nu, B\downarrow 1$, absorption
Hyperfine Interactions

- Some nuclei also have intrinsic discretized angular moment called nuclear spin.
- The quantum numbers describing these states are \( I \) and \( m\downarrow I \), where \(-I \leq m\downarrow I \leq +I\)
- EPR will occur for every discretized nuclear state

Presence of magnetic nuclei will offset the resonant field of the unpaired electron

\[
E = -\mu_B B = \mu_B (B + B\downarrow N) = g \downarrow e \mu_B S B + AS I + \Delta E = \hbar \nu = m\downarrow s \downarrow e \mu_B (B\downarrow 0 + Am\downarrow I)
\]

\( h = \) Planck's constant, \( \nu = \) microwave frequency
\( g = \) orientation dependent parameter
\( \beta = \) Bohr magneton, \( B_0 = \) magnetic field at resonance
Spin Dependent Recombination

Spin Dependent Recombination

Resonant Spin Dependent Recombination
Spin Dependent Recombination (SDR)

SDR fits a model similar to the one Kaplan, Solomon, and Mott (KSM) proposed back in 1978. In this model, electrons pairs are able to couple prior to a recombination event. Because after a recombination event, a system is without spin, only spin pairs with zero angular momentum are able to recombine. This process conserves angular momentum. But why does SDR change in a resonant field?

Dissociation

\[ E \downarrow C \]

\[ E \downarrow D \]

\[ E \downarrow V \]

Recombination

If spin orbit coupling is negligible, the spin angular momentum of the pair will define the total angular momentum.

**spin:** \(-s,...,m_s,...,s, 2s+1 \text{ states}\)

| State     | Quantum State | \(|s, m_s \rangle|   |
|-----------|---------------|----------------|
| Triplet \((T_{+1})\) | \(\uparrow \uparrow \rangle\) | \(1,+1\) |
| Triplet \((T_{-1})\) | \(\downarrow \downarrow \rangle\) | \(1,-1\) |
| Triplet \((T_0)\) | \((\uparrow \downarrow + \downarrow \uparrow)/\sqrt{2}\) | \(1,0\) |

The reason SDR increases in a resonant field is because either of the electrons in the precursor pair are able to “flip” when the resonance condition is satisfied. Therefore, triplet states are able to transition into singlet states which enhances recombination.

If spin orbit coupling is negligible, the spin angular momentum of the pair will define the total angular momentum.