

Feynman and Trimmer

Note Title

1/15/2014

Who was Feynman? Physicist at Caltech
Feynman diagrams
Nobel Prize
Challenger investigation

Data Storage, miniaturization

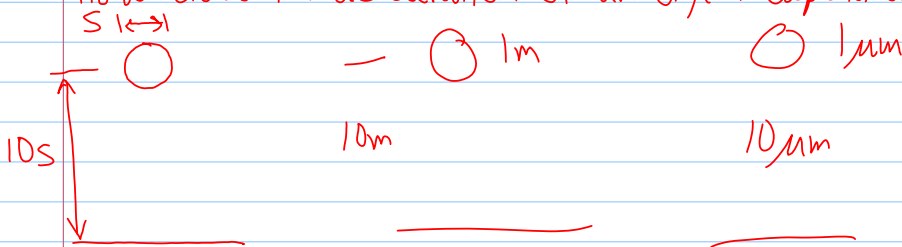
Trimmer Discussion

Methodology for determining how forces scale
WRT to spatial size.

Defines a notation where 's' represents some
length scale of a physical system. Then he
postulates that we have quantities that scale
with different powers of s.

$$S^F \Rightarrow F \propto \begin{cases} S^1 & \leftarrow \text{surface tension} \\ S^2 & \leftarrow \text{pressure, drag, electrostatics} \\ S^3 & \leftarrow \text{weight, inertia} \\ S^4 & \leftarrow \text{magnetic, nuclear} \end{cases}$$

How does the acceleration of an object depend on s?



Newton's 2nd Law

$$F = ma \Rightarrow (F = \frac{dP}{dt})$$

$$a = \frac{F}{m} = [S^F][S^{-3}] = \begin{bmatrix} S^{-2} \\ S^{-1} \\ S^0 \\ S^1 \end{bmatrix}$$

How does time scale? $a \equiv \frac{d^2x}{dt^2} = \frac{F}{m}$
 $x_0 = 0$; $v_0 = 0$
init pos = 0 ; init vel = 0 $x = \frac{1}{2} \frac{F}{m} t^2 + v_0 t + x_0$

$$\begin{aligned} \text{solve for time} \Rightarrow t &= \left(\frac{x_2 m}{F} \right)^{1/2} \\ &= ([S^1][S^3][S^{-F}])^{1/2} \\ &= [S^{2-F/2}] \end{aligned}$$

$$t = \begin{bmatrix} S^{3/2} \\ S^1 \\ S^{1/2} \\ S^0 \end{bmatrix} \leftarrow$$